



SNS COLLEGE OF TECHNOLOGY

Coimbatore-35
An Autonomous Institution



Accredited by NBA – AICTE and Accredited by NAAC – UGC with ‘A+’
Grade Approved by AICTE, New Delhi & Affiliated to Anna
University, Chennai

DEPARTMENT OF ELECTRONICS & COMMUNICATION ENGINEERING

VQAR -VERBAL QUANTITATIVE APTITUDE REASONING-II

1

UNIT 2-QUANTITATIVE ABILITY IV

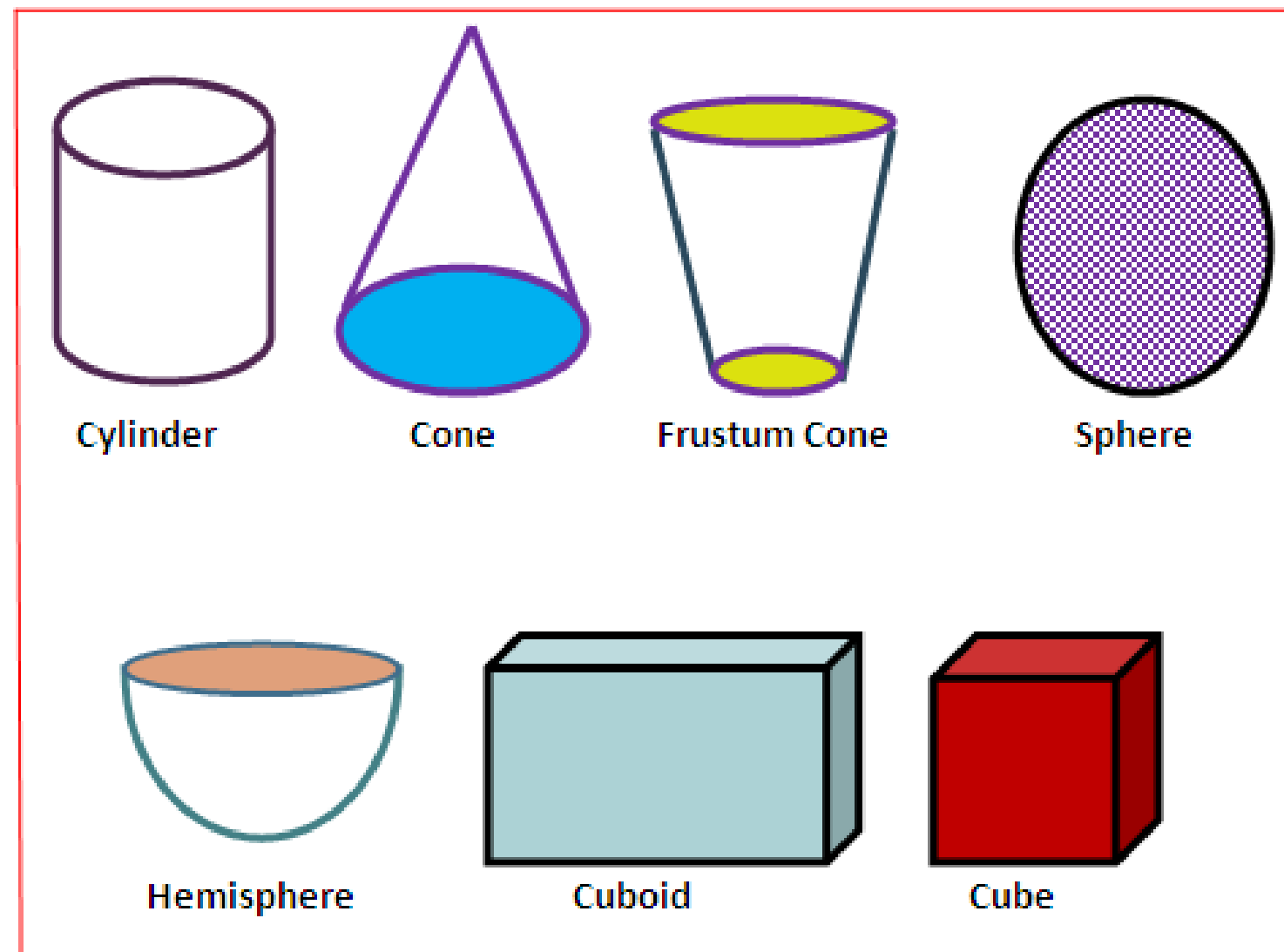
TOPIC 3: MENSURATION



MENSURATION



The part of geometry concerned with ascertaining lengths, areas, and volumes.





MENSURATION



MENSURATION

SOLID	FIGURE	LATERAL / CURVED SURFACE AREA	TOTAL SURFACE AREA	VOLUME
CUBOID		$2(l+b)h$	$2(lb+bh+hl)$	lbh
CUBE		$4l^2$	$6l^2$	l^3
RIGHT CIRCULAR CYLINDER		$2\pi rh$	$2\pi r(r+h)$	$\pi r^2 h$
RIGHT CIRCULAR CONE		πrl $l = \sqrt{r^2 + h^2}$ where l = slant height	$\pi rl + \pi r^2$ or $\pi r(l+r)$	$\frac{1}{3} \pi r^2 h$
SPHERE		$4\pi r^2$	$4\pi r^2$	$\frac{4}{3} \pi r^3$
HEMISPHERE		$2\pi r^2$	$3\pi r^2$	$\frac{2}{3} \pi r^3$
HOLLOW CYLINDER		$2\pi(R+r)h$ where R = external radius and r = internal radius	$2\pi(R+r)h + 2\pi(R^2 - r^2)$	$\pi(R^2 - r^2)h$
FRUSTUM OF RIGHT CIRCULAR CONE		$\pi(R+r)l$ where R & r are radii of base and $R > r$ $l = \sqrt{h^2 + (R-r)^2}$	$\pi l(R+r) + \pi R^2 + \pi r^2$	$\frac{1}{3} \pi h [R^2 + r^2 + Rr]$



MENSURATION



Mensuration Formulas

Perimeter

Square	$P = 4s$
Rectangle	$P = 2(l + w)$

Circumference

Circle	$C = 2\pi r$
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Area

Square	$A = s^2$
Rectangle	$A = lw$
Triangle	$A = \frac{1}{2}bh$
Trapezoid	$A = \frac{1}{2}(b_1 + b_2)h$
Circle	$A = \pi r^2$

Surface Area

Cube	$SA = 6s^2$
Cylinder	$SA = 2\pi rh + 2\pi r^2$
Cone	$SA = \pi rl$
Sphere	$SA = 4\pi r^2$

Volume

Cube	$V = s^3$
Cylinder	$V = \pi r^2 h$
Cone	$V = \frac{1}{3}\pi r^2 h$
Sphere	$V = \frac{4}{3}\pi r^3$

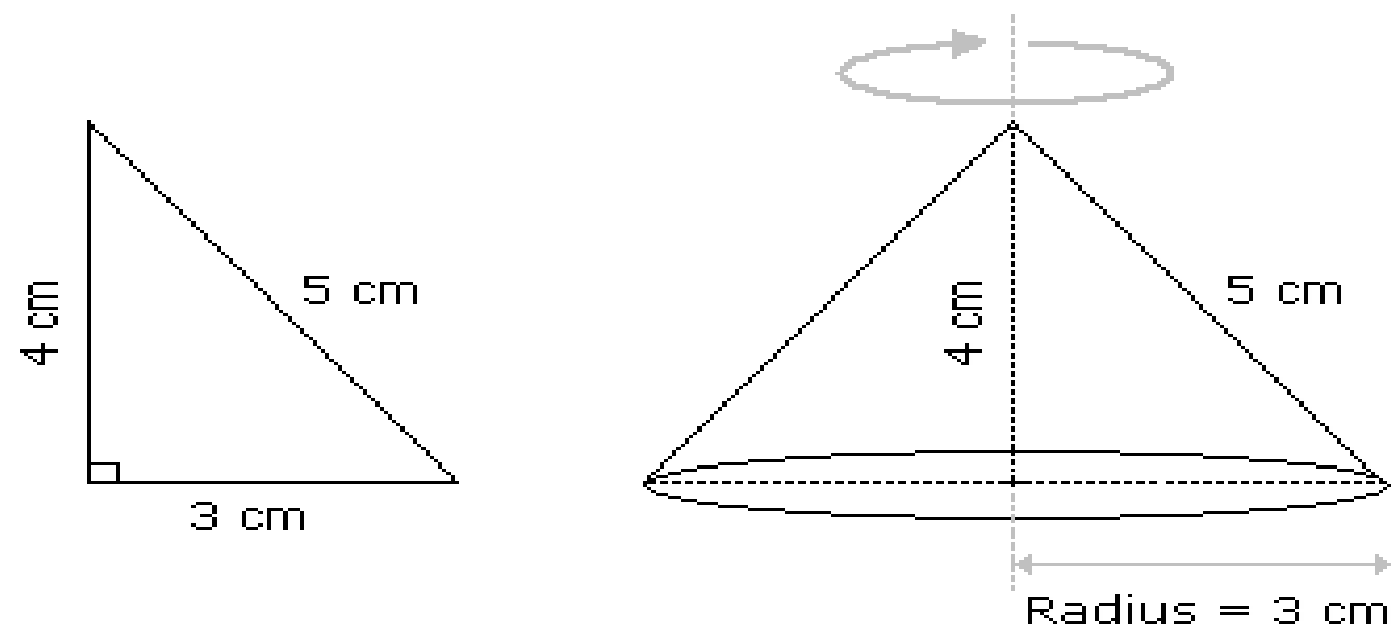


MENSURATION



A right triangle with sides 3 cm, 4 cm and 5 cm is rotated the side of 3 cm to form a cone.
The volume of the cone so formed is:

Explanation:



Clearly, we have $r = 3$ cm and $h = 4$ cm.

$$\therefore \text{Volume} = \frac{1}{3}\pi r^2 h = \left(\frac{1}{3} \times \pi \times 3^2 \times 4\right) \text{cm}^3 = 12\pi \text{cm}^3.$$



MENSURATION



In a shower, 5 cm of rain falls. The volume of water that falls on 1.5 hectares of ground is:

Explanation:

$$1 \text{ hectare} = 10,000 \text{ m}^2$$

$$\text{So, Area} = (1.5 \times 10000) \text{ m}^2 = 15000 \text{ m}^2.$$

$$\text{Depth} = \frac{5}{100} \text{ m} = \frac{1}{20} \text{ m}.$$

$$\therefore \text{Volume} = (\text{Area} \times \text{Depth}) = \left(15000 \times \frac{1}{20} \right) \text{ m}^3 = 750 \text{ m}^3.$$



MENSURATION



A hall is 15 m long and 12 m broad. If the sum of the areas of the floor and the ceiling is equal to the sum of the areas of four walls, the volume of the hall is:

Explanation:

$$2(15 + 12) \times h = 2(15 \times 12)$$

$$\Rightarrow h = \frac{180}{27} \text{m} = \frac{20}{3} \text{m}.$$

$$\therefore \text{Volume} = \left(15 \times 12 \times \frac{20}{3} \right) \text{m}^3 = 1200 \text{m}^3.$$



MENSURATION



A hollow iron pipe is 21 cm long and its external diameter is 8 cm. If the thickness of the pipe is 1 cm and iron weighs 8 g/cm³, then the weight of the pipe is:

Explanation:

External radius = 4 cm,

Internal radius = 3 cm.

$$\begin{aligned}\text{Volume of iron} &= \left(\frac{22}{7} \times [(4)^2 - (3)^2] \times 21 \right) \text{cm}^3 \\ &= \left(\frac{22}{7} \times 7 \times 1 \times 21 \right) \text{cm}^3 \\ &= 462 \text{ cm}^3.\end{aligned}$$

∴ Weight of iron = (462 × 8) gm = 3696 gm = 3.696 kg.



MENSURATION



A boat having a length 3 m and breadth 2 m is floating on a lake. The boat sinks by 1 cm when a man gets on it. The mass of the man is:

Explanation:

$$\begin{aligned}\text{Volume of water displaced} &= (3 \times 2 \times 0.01) \text{ m}^3 \\ &= 0.06 \text{ m}^3.\end{aligned}$$

$$\begin{aligned}\therefore \text{Mass of man} &= \text{Volume of water displaced} \times \text{Density of water} \\ &= (0.06 \times 1000) \text{ kg} \\ &= 60 \text{ kg}.\end{aligned}$$



MENSURATION



A cistern 6m long and 4 m wide contains water up to a depth of 1 m 25 cm.
The total area of the wet surface is:

Explanation:

$$\begin{aligned}\text{Area of the wet surface} &= [2(lb + bh + lh) - lb] \\ &= 2(bh + lh) + lb \\ &= [2(4 \times 1.25 + 6 \times 1.25) + 6 \times 4] \text{ m}^2 \\ &= 49 \text{ m}^2.\end{aligned}$$



MENSURATION



A metallic sheet is of rectangular shape with dimensions 48 m x 36 m. From each of its corners, a square is cut off so as to make an open box. If the length of the square is 8 m, the volume of the box (in m³) is:

Explanation:

$$\text{Clearly, } l = (48 - 16)\text{m} = 32 \text{ m,}$$

$$b = (36 - 16)\text{m} = 20 \text{ m,}$$

$$h = 8 \text{ m.}$$

$$\therefore \text{ Volume of the box} = (32 \times 20 \times 8) \text{ m}^3 = 5120 \text{ m}^3.$$



MENSURATION



A cistern of capacity 8000 litres measures externally 3.3 m by 2.6 m by 1.1 m and its walls are 5 cm thick. The thickness of the bottom is:

Explanation:

Let the thickness of the bottom be x cm.

Then, $[(330 - 10) \times (260 - 10) \times (110 - x)] = 8000 \times 1000$

$$\Rightarrow 320 \times 250 \times (110 - x) = 8000 \times 1000$$

$$\Rightarrow (110 - x) = \frac{8000 \times 1000}{320 \times 250} = 100$$

$$\Rightarrow x = 10 \text{ cm} = 1 \text{ dm.}$$



MENSURATION



A large cube is formed from the material obtained by melting three smaller cubes of 3, 4 and 5 cm side. What is the ratio of the total surface areas of the smaller cubes and the large cube?

Explanation:

Volume of the large cube = $(3^3 + 4^3 + 5^3) = 216 \text{ cm}^3$.

Let the edge of the large cube be a .

So, $a^3 = 216 \Rightarrow a = 6 \text{ cm}$.

\therefore Required ratio = $\left(\frac{6 \times (3^2 + 4^2 + 5^2)}{6 \times 6^2} \right) = \frac{50}{36} = 25 : 18$.



MENSURATION



How many bricks, each measuring 25 cm x 11.25 cm x 6 cm, will be needed to build a wall of 8 m x 6 m x 22.5 cm?

Explanation:

$$\text{Number of bricks} = \frac{\text{Volume of the wall}}{\text{Volume of 1 brick}} = \left(\frac{800 \times 600 \times 22.5}{25 \times 11.25 \times 6} \right) = 6400.$$



THANK YOU