SNS COLLEGE OF TECHNOLOGY, COIMBATORE -35
(An Autonomous Institution)

## DEPARTMENT OF COMPUTER SCIENCE AND ENGINEERING

## Relational Algebra

Relational algebra is a procedural query language. It gives a step-by-step process to obtain the result of the query. It uses operators to perform queries.

## Types of Relational operation



1. Select Operation:

- The select operation selects tuples that satisfy a given predicate.
- It is denoted by sigma ( $\sigma$ ).

1. Notation: $\sigma \mathrm{p}(\mathrm{r})$

## Where:

$\boldsymbol{\sigma}$ is used for selection prediction
$\mathbf{r}$ is used for relation
$\mathbf{p}$ is used as a propositional logic formula which may use connectors like: AND OR and NOT. These relational can use as relational operators like $=, \neq, \geq,<,>, \leq$.

## For example: LOAN Relation

| BRANCH_NAME LOAN_NO AMOUNT |  |  |
| :--- | :--- | :--- |
| Downtown | L-17 | 1000 |
| Redwood | L-23 | 2000 |
| Perryride | L-15 | 1500 |
| Downtown | L-14 | 1500 |
| Mianus | L-13 | 500 |
| Roundhill | L-11 | 900 |
| Perryride | L-16 | 1300 |

## Input:

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1. $\sigma$ BRANCH_NAME="perryride" (LOAN)

## Output:

BRANCH_NAME LOAN_NO AMOUNT

| Perryride | L-15 | 1500 |
| :--- | :--- | :--- |
| Perryride | L-16 | 1300 |

2. Project Operation:

- This operation shows the list of those attributes that we wish to appear in the result. Rest of the attributes are eliminated from the table.
- It is denoted by $\Pi$.

1. Notation: П A1, A2, An (r)

## Where

A1, A2, A3 is used as an attribute name of relation $\mathbf{r}$.

## Example: CUSTOMER RELATION

NAME STREET CITY

| Jones | Main | Harrison |
| :--- | :--- | :--- |
| Smith | North | Rye |
| Hays | Main | Harrison |
| Curry | North | Rye |
| Johnson Alma | Brooklyn |  |
| Brooks | Senator Brooklyn |  |

## Input:

1. П NAME, CITY (CUSTOMER)

## Output:

## NAME CITY

Jones Harrison
Smith Rye
Hays Harrison
Curry Rye
Johnson Brooklyn
Brooks Brooklyn
3. Union Operation:

- Suppose there are two tuples $R$ and $S$. The union operation contains all the tuples that are either in $R$ or S or both in R \& S.

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- It eliminates the duplicate tuples. It is denoted by U.

1. Notation: $\mathrm{R} \cup \mathrm{S}$

A union operation must hold the following condition:

- $R$ and $S$ must have the attribute of the same number.
- Duplicate tuples are eliminated automatically.

Example:

## DEPOSITOR RELATION

## CUSTOMER_NAME ACCOUNT_NO

Johnson A-101
Smith A-121
Mayes A-321
Turner A-176
Johnson A-273
Jones A-472
Lindsay A-284

## BORROW RELATION

## CUSTOMER_NAME LOAN_NO

Jones L-17

Smith L-23
Hayes L-15
Jackson L-14
Curry L-93
Smith L-11
Williams L-17

## Input:

1. П CUSTOMER_NAME (BORROW) U П CUSTOMER_NAME (DEPOSITOR)

## Output:

## CUSTOMER_NAME

Johnson
Smith
Hayes
Turner
Jones

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Lindsay
Jackson
Curry
Williams
Mayes
4. Set Intersection:

- Suppose there are two tuples $R$ and $S$. The set intersection operation contains all tuples that are in both R \& S.
- It is denoted by intersection $\cap$.

1. Notation: $\mathrm{R} \cap \mathrm{S}$

Example: Using the above DEPOSITOR table and BORROW table

## Input:

1. $П$ CUSTOMER_NAME (BORROW) $\cap$ П CUSTOMER_NAME (DEPOSITOR)

## Output:

## CUSTOMER_NAME

Smith
Jones
5. Set Difference:

- Suppose there are two tuples R and S . The set intersection operation contains all tuples that are in R but not in S .
- It is denoted by intersection minus (-).

1. Notation: $\mathrm{R}-\mathrm{S}$

Example: Using the above DEPOSITOR table and BORROW table

## Input:

1. $\Pi$ CUSTOMER_NAME (BORROW) - $\Pi$ CUSTOMER_NAME (DEPOSITOR)

## Output:

## CUSTOMER NAME

Jackson
Hayes
Willians
Curry
6. Cartesian product

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- The Cartesian product is used to combine each row in one table with each row in the other table. It is also known as a cross product.
- It is denoted by X .

1. Notation: E X D

Example:

## EMPLOYEE

| EMP_ID | EMP_NAME EMP_DEPT |  |
| :--- | :--- | :--- |
| 1 | Smith | A |
| 2 | Harry | C |
| 3 | John | B |

## DEPARTMENT

## DEPT_NO DEPT_NAME

A Marketing
B Sales
C Legal

## Input:

1. EMPLOYEE X DEPARTMENT

## Output:

| EMP_ID | EMP_NAME | EMP_DEPT | DEPT_NO | DEPT_NAME |
| :--- | :--- | :--- | :--- | :--- |
| 1 | Smith | A | A | Marketing |
| 1 | Smith | A | B | Sales |
| 1 | Smith | A | C | Legal |
| 2 | Harry | C | A | Marketing |
| 2 | Harry | C | B | Sales |
| 2 | Harry | C | C | Legal |
| 3 | John | B | A | Marketing |
| 3 | John | B | B | Sales |
| 3 | John | B | C | Legal |

7. Rename Operation:

The rename operation is used to rename the output relation. It is denoted by rho $(\rho)$.
Example: We can use the rename operator to rename STUDENT relation to STUDENT1.

1. $\rho($ STUDENT1, STUDENT)
