



DEPARTMENT OF AEROSPACE ENGINEERING

19GET275 – VQAR 1 UNIT -1 QUANTITATIVE ABILITY I

1. Concept of Percentage:

By a certain percent, we mean that many hundredths. Thus, x percent means x hundredths, written as x%.

To express x% as a fraction: We have, $x\% = \frac{x}{100}$. Thus, $20\% = \frac{20}{100} = \frac{1}{5}$. To express $\frac{a}{b}$ as a percent: We have, $\frac{a}{b} = \begin{pmatrix} a \\ b \\ x \\ 100 \end{pmatrix}_{\%}$. Thus, $4 = \begin{pmatrix} 1 \\ 4 \\ x \\ 100 \end{pmatrix}_{\%} = 25\%$.

2. Percentage Increase/Decrease:

If the price of a commodity increases by R%, then the reduction in consumption so as not to increase the expenditure is:

$$\begin{bmatrix} \mathbf{R} \\ (100 + \mathbf{R}) \times 100 \end{bmatrix}_{\%}$$

If the price of a commodity decreases by R%, then the increase in consumption so as not to decrease the expenditure is:

$$\begin{bmatrix} \mathbf{R} \\ (100 - \mathbf{R}) \times 100 \end{bmatrix}_{\%}$$

3. Results on Population:

Let the population of a town be P now and suppose it increases at the rate of R% per annum, then:

1. Population after *n* years = P
$$\begin{pmatrix} R \\ 1 + 100 \end{pmatrix}^n$$





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2. Population *n* years ago =
$$\begin{pmatrix} R \\ 1 + 100 \end{pmatrix}^n$$

4. Results on Depreciation: Let the present value of a machine be P. Suppose it depreciates at the rate of R% per annum. Then:

1. Value of the machine after *n* years =
$$P \begin{pmatrix} R \\ 1 - 100 \end{pmatrix}^n$$

P
2. Value of the machine *n* years ago = $\begin{pmatrix} R \\ 1 - 100 \end{pmatrix}^n$
3. If A is R% more than B, then B is less than A by $\begin{bmatrix} R \\ (100 + R) \times 100 \end{bmatrix}_{\%}$.
4. If A is R% less than B, then B is more than A by $\begin{bmatrix} R \\ x \ 100 \end{bmatrix}_{\%}$.

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1.A batsman scored 110 runs which included 3 boundaries and 8 sixes. What percent of his total score did he make by running between the wickets? 45%

 $45\frac{5}{11}\%$ $54\frac{6}{11}\%$ 55%

Answer: Option Explanation:

Number of runs made by running = $110 - (3 \times 4 + 8 \times 6)$

= 110 - (60)

= 50.

 $\therefore \text{ Required percentage} = \begin{pmatrix} 50 \\ x \ 100 \end{pmatrix} \begin{pmatrix} 5 \\ \% \\ = 45 \end{pmatrix}$

2.Two students appeared at an examination. One of them secured 9 marks more than the other and his marks was 56% of the sum of their marks. The marks obtained by them are:

- 39, 30
- 41, 32
- 42, 33
- 43, 34
- Answer: Option
- Explanation:
- Let their marks be (x + 9) and x.

Then, $x + 9 = \frac{56}{100}(x + 9 + x)$





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- $\Rightarrow 25(\mathbf{x} + 9) = 14(2\mathbf{x} + 9)$
- ⇒ 3**x** = 99
- ⇒ <u>x</u> = 33
- So, their marks are 42 and 33.

3.A fruit seller had some apples. He sells 40% apples and still has 420 apples. Originally, he had:

- 588 apples
- 600 apples
- 672 apples
- 700 apples
- Answer: Option
- Explanation:
- Suppose originally he had x apples.

 $\Rightarrow \frac{60}{100} \times x = 420$ $\Rightarrow x = \begin{pmatrix} 420 \times 100 \\ 60 \end{pmatrix} = 70$

4. What percentage of numbers from 1 to 70 have 1 or 9 in the unit's digit?

- 1
- 14
- 20





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- 21
- Answer: Option
- Explanation:
- Clearly, the numbers which have 1 or 9 in the unit's digit, have squares that end in the digit 1. Such numbers from 1 to 70 are 1, 9, 11, 19, 21, 29, 31, 39, 41, 49, 51, 59, 61, 69.
- Number of such number =14

$$\therefore \text{ Required percentage} = \begin{pmatrix} 14 \\ 70 \times 100 \\ \% = 20\%$$

5.If A = x% of y and B = y% of x, then which of the following is true?

- A is smaller than B.
- A is greater than B
- Relationship between A and B cannot be determined.
- If **x** is smaller than **y**, then A is greater than B.
- None of these
- Answer: Option
- Explanation:

x% of y =
$$\begin{pmatrix} x \\ 100 \ x \ y \end{pmatrix}$$
 = $\begin{pmatrix} y \\ 100 \ x \ x \end{pmatrix}$ = y% of x





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What is Percentage?

Percentage is the representation of value expressed as a fraction of 100.

Ex: 25 %25 % means 2510025100, similarly 50 %50 % means 5010050100, Here 25 and 50 are the parts of whole number 100.

we can use the formula to find out the percentage of any value is given

below.Percentage=Part valueWhole value $\times 100$

Some examples are given below to understand percentage in a better way-

Example (1): Mr. John scored 3030 runs out of total score of the team 150150 runs. Find the percentage score of Mr.John?

Solution: Mr. John scored 3030 runs out of 150150 runs means 3015030150,

Example (2): Mr. John scored 20 %20 % runs out of total score of the team 150150 runs. Find the runs scored by of Mr.John?

Solution: Mr. John scored 20 %20 % runs means 2010020100, then runs scored by Mr.John out of total 150150 runs= $20100 \times 150=30$ runs= $20100 \times 150=30$

Conversion of fraction value into percent value:

Multiply the fraction value by 100100 for converting a fraction value into percent value, Some examples are given below to understand the conversion-**Example (1):** Conversion of fraction value 1414 into percent,= $14=14\times100=25$ %= $14=14\times100=25$ % **Example (2):** Conversion of fraction value 2525 into percent,= $25=25\times100=40$ %= $25=25\times100=40$ %

Conversion of percent value into fraction value:

Divide the percent value by 100100 for converting a percent value into fraction value, Some examples are given below to understand the conversion- **Example (1):** Conversion of percent value 20 % 20 % into fraction value,=20 %=20100=15=20 %=20100=15 **Example (2):** Conversion of percent value 10 % 10 % into fraction value,=10 %=10100=110