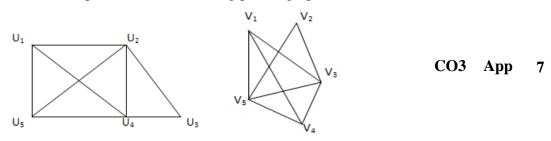
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REG.No.									
SNS COLLEGE OF (An Autonomous			S						
COIMBATORE-641 035						פווטווט			
B.E/B.Tech- INTERNAL ASSESSMENT – II									
Department of Mathematics									
Academic year 2023-24 (ODD)/ FIFTH SEMESTER 19MAT301 – DISCRETE MATHEMATICS									
(Common to CSE, IT & AIML)				IК					
(REGULATION 2019)									
TIME: 1.5 HOURS	MUM MA	ARKS:	50						
ANSWER ALL Q									
<u>PART A — (5 x 2 :</u>	<u>= 10 Marks</u>	<u>s)</u>							
				CO	BL				
1. Form the recurrence relation for the sequence S(n)	$= 6 (-5)^n, n$	≥ 0		CO2	Und	2			
A survey of 500 from a school produced the follow	ing informa	ation. 2	200 play						
 volley ball, 120 play hockey. 60 play both volleyba are not playing either volleyball or hockey? 	-			CO2	Und	2			
3. How many edges are there in a graph with ten vertices each of degree six?		CO3	Und	2					
4. State Complete graph with examples.				CO3	Rem	2			
5. Construct the graph for the following adjacency ma	101	0 1 1 1 0 1 1 0		CO3	Арр	2			
<u>PART B — (13 + 13 +</u>		<u>arks)</u>							
6. (a) (i) Solve linear non homogeneous recurrence ec	quation			CO2	Арр	8			
$a_n - 2a_{n-1} - 3a_{n-2} = 4^n + 6.$	20 studied		matica F	1	••	-			
(ii) In a survey of 100 students it was found that studied statistics and 25 studied Operations I				+					
three subjects. 20 studied mathematics and s									
mathematics and operations research and 15 studied statistics and			CO2	App	5				
operations research.									
i) How many students studied none	•								
ii) How many students studied only mathematics? (OR)									
(b) (i) Use the method of generating function to so	lve the recu	ırrence	equation						
$a_n = 3a_{n-1} + 1, \ n \ge 1$ given $a_0 = 1$.			CO2	Арр	8				
(ii) How many positive integers not exceeding 1000 are divisible by 7 or 11?			? CO2	App	5				

7. (a) (i) Establish the isomorphism for the following pair of graphs.



	(ii)	State and prove Handshaking theorem and prove in an undirected graph the number of odd degree vertices are even.		Арр	6		
		(OR)					
(b) (i)	Prove that a connected graph is Eulerian if and only if every vertex are of even degree.	CO3	Арр	7		
	(ii)	Illustrate an example for a graph which is					
		i) Eulerian but not Hamiltonian					
		ii) Hamiltonian but not Eulerian	CO3	Арр	6		
		iii) Both Eulerian and Hamiltonian			-		
		iv) Neither Eulerian nor Hamiltonian					
8. (a	ı) (i)	Solve the recurrence relation for Fibonacci Sequence.	CO2	Ana	7		
,	(ii)	ii) Determine the number of integers between 1 to 300 that are divisible by					
	 At least one of 3, 5, 7. 3 and 5 but not by 7. 5 but not by 3 and 7. 		CO2	Арр	7		
(OR)							
(b) (i)	Construct the complete graph K_5 with vertices A, B, C, D and E and draw all the complete sub graphs of K_5 with 4 vertices.	CO3	Ana	7		
	(ii)	A simple graph with 'n' vertices and 'k' components cannot have more than $\frac{(n-k)(n-k+1)}{2}$ edges. Justify the statement with a proof.	CO3	Арр	7		

Blooms Taxonomy Abbreviations: Rem-Remembrance, Und-Understanding, App- Apply, Ana-Analyze, Eva-Evaluate, Cre-Create
