

Microstrip or Patch Antennas.

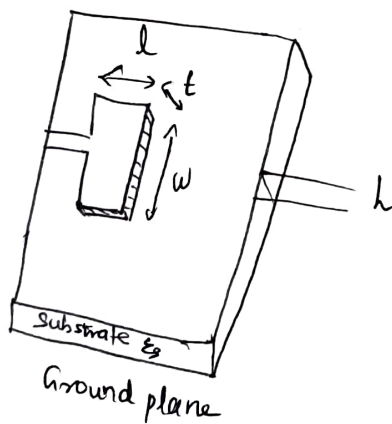
Aim: To study the construction & design of patch antenna

Objective: Derive the directivity of patch antenna

* Microstrip Antennas consists of a very thin metallic strip (patch) ($t \ll \lambda$) placed above ground plane

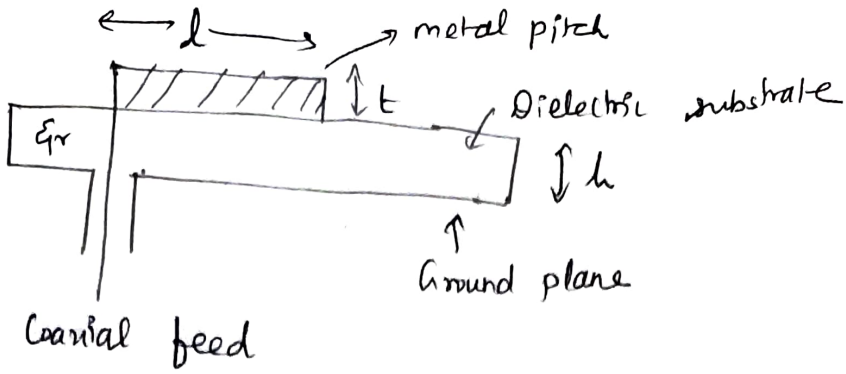
* The strip and ground plane are separated by a dielectric sheet called substrate.

* The radiating element and feed lines are normally protected on the dielectric substrate.



* The radiating patch may be square, circular, elliptical, rectangular or any shape.

* The feedline is also a conducting strip normally of smaller width. Coaxial line feeds where the inner conductor of the coaxial line is attached to the radiating patch are widely used

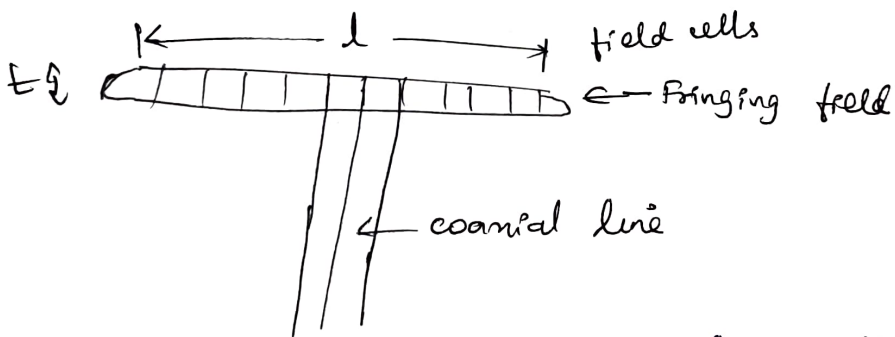


* The Patch Antenna acts as a resonant $\lambda/2$ Parallel plate microstrip transmission line with chara impedance equal to the reciprocal of the no of parallel field cell transmission lines

$$Z_p = \eta_i = \sqrt{\mu/\epsilon} = \sqrt{\mu_0/\epsilon_0} \sqrt{\mu_r/\epsilon_r}$$

$$Z_p = 120\pi \sqrt{\mu_r/\epsilon_r}$$

Patch with gap divided into field cells



* The cross section has 10 parallel field cell transmission line for $\epsilon_r = 2$

Char. imp of patch Antenna

$$Z_c = \frac{Z_0}{n\sqrt{\epsilon_r}} = \frac{377}{10\sqrt{2}}$$

$$Z_c = 26.63 \Omega \quad n = 1/t$$

$$Z_c = \frac{Z_0 t}{2\sqrt{\epsilon_r}}$$

Directivity:

* The radiating pattern of patch is broad. The typical value of the beam area Ω_A is half of a half space or about π steradians.

$$D = \frac{4\pi}{\Omega_A}$$

$$= 4\pi/\pi$$

$$D = 4$$

The limitations of the microstrip antenna is its narrow frequency bandwidth which can be increased by

1. Increasing the thickness of the substrate
2. Using high dielectric constant ϵ_r substrate
3. Increasing inductance
4. Adding reactive components to reduce the VSWR

Advantages:

- * Linear & circular polarization are possible
- * Small size & weight
- * Narrow beam of radiation
- * Ease of installation & fabrication
- * Adding reactive components to reduce VSWR

Disadvantages:

1. Narrow bandwidth
2. Radiate into half plane
3. Poor end fire radiation performance
4. Low power handling capacity
5. No provision for adjusting any design value after fabrication

Applications:

→ Space craft & Aircraft.

Frequency Independent Antenna:

Log Periodic Antenna: HF antenna:

* Circumstances may arise which requires antennas that are frequency independent & which can be used as wide band antennas for which the impedance and radiation pattern \propto thus the Directivity remains constant or independent (or as a function) of frequency.

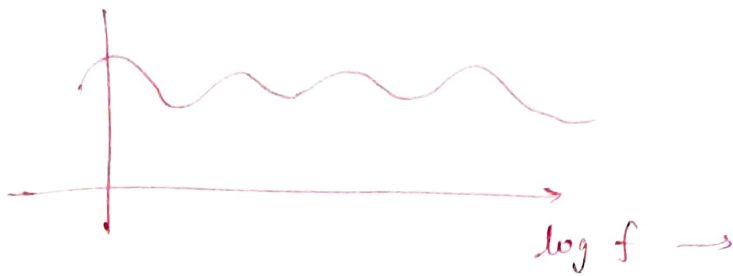
* To be frequency independent the antenna should be expand or contract in proportion to λ .

* The development of frequency independent concept leads to log periodic antennas.

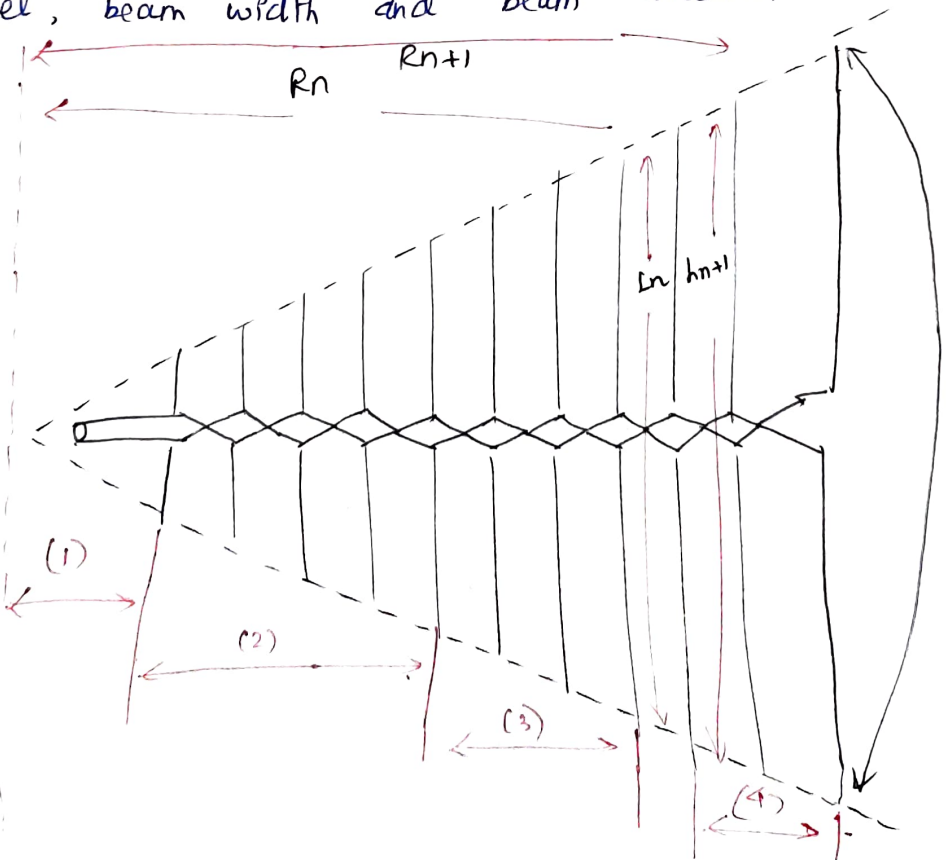
* The name log periodic is derived as the geometry of the antenna structure is so chosen that the electrical properties repeat periodically with logarithm of the frequency

Plot of i/p impedance vs $\log f$

Z_{in} or



* The i/p impedance is a logarithmically periodic function of frequency. Not only this, all the electrical properties undergo similar periodic variation particularly radiation pattern, directive gain, side lobe level, beam width and beam direction.



- | | | |
|--|---|--|
| 1. Induced transmission region | } | Inactive region
($L < \lambda/2$) |
| 2. Loaded transmission region | | |
| 3. Active region ($L \approx \lambda/2$) | | |
| 4. Reflective region ($L > \lambda/2$) | | |

Analysis of log periodic Antenna:

- 1) Inactive region ($L < \lambda/2$)
 - Antenna elements are short with resonant length
($L \leq \lambda/2$)
 - current is small & leads base voltage by 90°
 - small radiation in backward direction
- 2) Active region ($L \approx \lambda/2$)
 - Dipole length $\approx \lambda/2$
 - resistive impedance
 - Element currents are large & in phase with base voltage
 - strong radiation
- 3) Inactive reflective region
 - Dipole lengths are longer than the resonant length
 - Inductive impedance
 - Active region is reflected back towards the backward direction

Relationship b/w L & R

The relationship b/w the length (L) & distance from the origin (R) is given by

$$\frac{R_1}{R_2} = \frac{R_2}{R_3} = \dots = \frac{R_n}{R_{n+1}} = I = \frac{L_1}{L_2} = \frac{L_2}{L_3} = \dots = \frac{L_n}{L_{n+1}}$$

\therefore I the design ratio or scale factor or periodicity factor is given by

$$I = \frac{R_n}{R_{n+1}} = \frac{L_n}{L_{n+1}} \quad (I < 1)$$

$$(or) \frac{S_{n+1}}{S_n} = \frac{L_{n+1}}{L_n} = \frac{1}{I} = k, \quad k > 1$$

S \rightarrow spacing b/w the two adjacent elements

$$\alpha = 36^\circ \quad \& \quad \tau = 0.7$$

Applications:

- \rightarrow High frequency communication
- \rightarrow TV reception (even upto UHF Band)
- \rightarrow Best suited for all round monitoring

Relation b/w apex angle, scale factor & spacing factor

$$\text{spacing factor} = \frac{1 - \left(\frac{1}{\text{scale factor}} \right)}{\tan(\text{apex angle})}$$

$$\tan \alpha = \frac{1 - (1/z)}{4s\lambda}$$

$$s\lambda \text{ or } \sigma = \frac{1 - 1/z}{4 \tan \alpha}$$

$$\alpha = \tan^{-1} \left[\frac{1 - (1/z)}{4s} \right]$$

$s\lambda \rightarrow$ spacing factor

$z \rightarrow$ scale factor

$\alpha \rightarrow$ Apex angle.

Outcome:

able to learn the design of patch antenna
& log periodic antenna.
