



# SNS COLLEGE OF TECHNOLOGY



Coimbatore-35  
An Autonomous Institution

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## 16GE314 CAREER DEVELOPMENT PROGRAMME II YEAR IV SEM DEPARTMENT OF MECHANICAL ENGINEERING

### TOPIC –Relative Speed





# WHAT IS RELATIVE SPEED?

Let's start with the first question



# RELATIVE SPEED

- X We can define relative speed as the speed of a moving body with respect to another
- X When two bodies are moving in the same direction, the relative speed is computed by their difference
- X But when two bodies are moving in the opposite direction, the relative speed is calculated by adding the speed of both the bodies
- X The difference between relative speed and relative velocity is that relative speed is the scalar quantity whereas relative velocity is the vector quantity.

# How to calculate relative speed?

- X Suppose two bodies are moving at a different speed in the same direction.
- X Let the speed of 1st body be "x" km/hr
- X And the speed of the 2nd body be "y" km/hr.
- X So, their relative speed is = (x - y) km/hr [x > y]
- X The time after which both the bodies meet = distance travelled / relative speed = d km / (x - y) km/hr
- X Suppose, time = t hrs.
- X Then, the distance covered in 't' hours = relative speed \* time
- X = (x - y) km/hr \* t hrs.

# TRAIN PROBLEMS

- X Train Problems form an interesting portion of the time-distance problems
- X The Train Problems are a bit different than the regular problems on the motion of the objects
- X This is due to the finite size of the trains
- X As a result of the length of the trains, many interesting train problems originate

# EXAMPLE

- X Gita rows a boat at a speed of 15 kmph upstream and 20 kmph downstream. Find the Speed with which Gita rows the boat in still water and also find the Speed of the stream.

**Solution:**

- X Given that upstream Speed = 15 kmph
- X Downstream Speed = 20 kmph
- X Speed of Gita in still water =  $x = \frac{(a + b)}{2} = \frac{(20+15)}{2} = \frac{35}{2}$
- X Speed of stream =  $y = \frac{(a - b)}{2} = \frac{(20-15)}{2} = \frac{5}{2}$ .

# EXAMPLE

X The Speed of Narmada river is 5 kmph. A stationary body is placed in the river. Find the Time taken by the floating body to reach a stone which is 10 km downstream from the point where it is now?

Solution:

- X Speed of body = Speed of river (as Speed of boy is 0) = 5 kmph
- X Speed=Distance/Time.
- X So, Time taken to reach 10 km =  $10/5 = 2$  hours.

# EXAMPLES

X Two trains running in opposite directions cross a man standing on the platform in 27 seconds and 17 seconds respectively and they cross each other in 23 seconds. The ratio of their speeds is:

X A) 2:3

B) 3:2

C) 1:3

D) 3:1



# SOLUTION

Answer: Let the speeds of the two trains be =  $x$  m/s and  $y$  m/s respectively. Then, the length of the first train =  $27x$  meters, and length of the second train =  $17y$  meters.

We can write:

$$(27x + 17y) / (x + y) = 23$$

Or  $27x + 17y = 23x + 23y$ , therefore we have:  $4x = 6y$

and  $(x/y) = (3/2)$ . Hence the correct option here is B) 3:2

# EXAMPLES

X Walking A train 360 m long is running at a speed of 45 km/hr. In what time will it pass a bridge 140 m long?

X A) 20 s

B) 30 s

C) 40 s

D) 50 s

# SOLUTION

Answer: We have already seen the formula for converting from km/hr to m/s:  $x \text{ km/hr} = [x \times (5/18)] \text{ m/s}$ .

X Therefore, Speed =  $[45 \times (5/18)] \text{ m/sec} = (25/2) \text{ m/sec}$ .

X Thus the total distance to be covered =  $(360 + 140) \text{ m} = 500 \text{ m}$ . Also, we know that the formula for finding Time =  $(\text{Distance}/\text{Speed})$

X Hence, the required time =  $[(500 \times 2)/25] \text{ sec} = 40 \text{ sec}$ .

# EXAMPLES

A train running at certain speed crosses a stationary engine in 20 seconds.

To find out the speed of the train. Which of the following information is necessary:

- A. Only the length of the train
- B. Only the length of the engine
- C. Either the length of the train and the length of the engine
- D. Both the length of the train and the length of the engine

# SOLUTION

- X** Answer: D. Both the length of the train and the length of the engine
- X** Explanation: Since the sum of the lengths of the train and the length of the engine is needed, So both the lengths must be known.

# PROBLEM

X A jogger running at 9 km/hr along side a railway track is 240 m ahead of the engine of a 120 m long train running at 45 km/hr in the same direction. In how much time will the train pass the jogger?

A. 12 secs

B. 18 secs

C. 36 secs

D. 72 secs

# SOLUTION

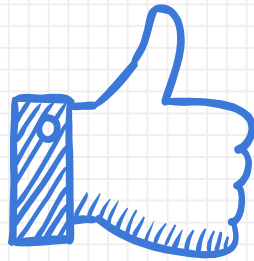
**X** Answer: C. 36 secs

Explanation: Speed of train relative to jogger =  $45 - 9 = 36$  km/hr.

$$= 36 * 5/18 = 10 \text{ m/sec}$$

$$\text{Distance to be covered} = 240 + 120 = 360 \text{ m}$$

$$\text{Time taken} = 360/10 = 36 \text{ secs}$$



# THANKS!

## Any questions?

You can find me at

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