



# SNS COLLEGE OF TECHNOLOGY

Coimbatore-35  
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## DEPARTMENT OF BIOMEDICAL ENGINEERING

### 19BMB302 - BIOMEDICAL SIGNAL PROCESSING

III YEAR/ V SEMESTER

## Unit V : DATA REDUCTION TECHNIQUES

19BMB302 - Biomedical signal processing / Unit-5/ Dr. K. Manoharan, ASP / BME / SNSCT



- Turning point algorithm
- AZTEC algorithm
- CORTES algorithm
- Fan algorithm
- **Huffman algorithm**



# Huffman algorithm



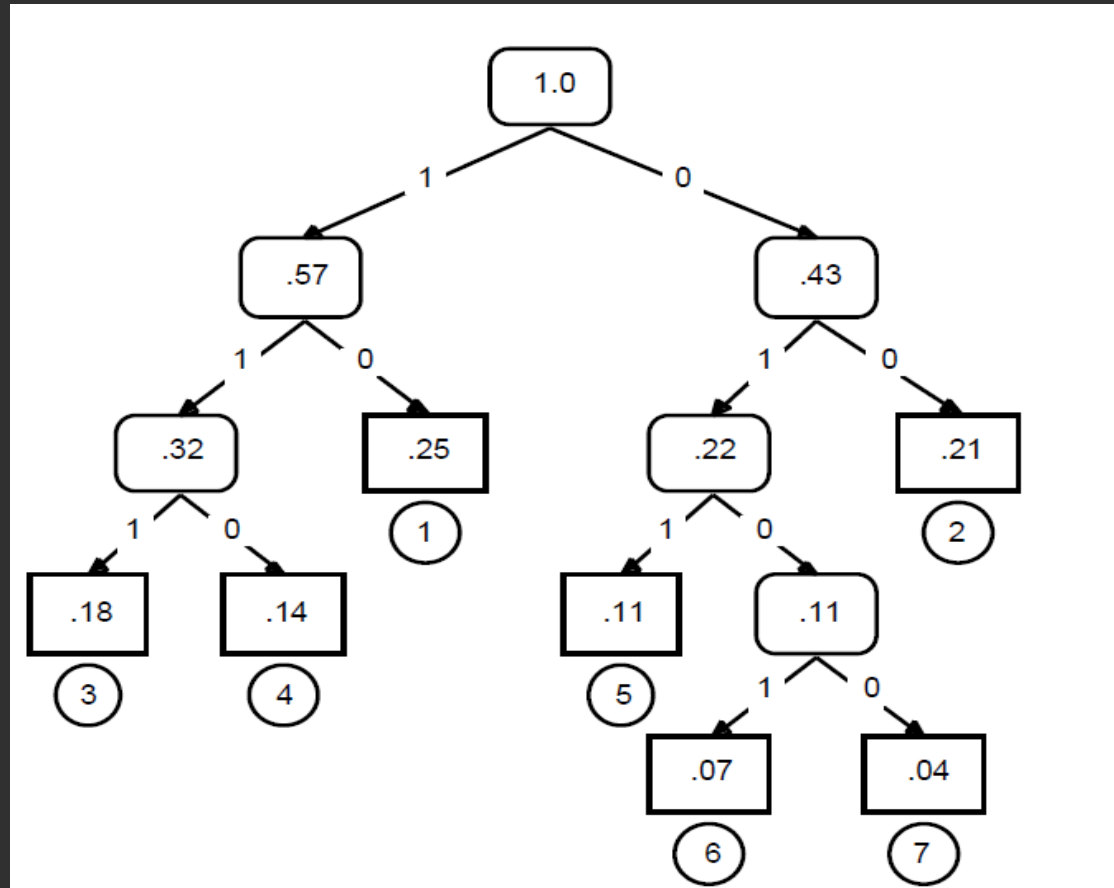
- Huffman coding exploits the fact that discrete amplitudes of quantized signal do not occur with equal probability. It assigns variable-length code words to a given quantized data sequence according to their frequency of occurrence.
- Data that occur frequently are assigned short
- Figure 1 illustrates the principles of Huffman coding.
- As an example, assume that we wish to transmit the set of 28 data points  $\{1, 1, 1, 1, 1, 1, 1, 2, 2, 2, 2, 2, 2, 3, 3, 3, 3, 3, 4, 4, 4, 4, 5, 5, 5, 6, 6, 7\}$
- The set consists of seven distinct quantized levels, or *symbols*. For each symbol,  $S_i$ , we calculate its probability of occurrence  $P_i$  by dividing its frequency of occurrence by 28, the total number of data points.
- Consequently, the construction of a Huffman code for this set begins with seven nodes, one associated with each  $P_i$ . At each step we sort the  $P_i$  list in descending order, breaking the ties arbitrarily.
- The two nodes with smallest probability,  $P_i$  and  $P_j$ , are merged into a new node with probability  $P_i + P_j$ .
- This process continues until the probability list contains a single value, 1.0, as shown in Figure



$S_i$	Lists of $P_i$						
1	.25	.25	.25	.32	.43	.57	1.0
2	.21	.21	.22	.25	.32	.43	
3	.18	.18	.21	.22	.25		
4	.14	.14	.18	.21			
5	.11	.11	.14				
6	.07	.11					
7	.04						



- The process of merging nodes produces a binary tree as in Figure
- When we merge two nodes with probability  $P_i + P_j$ , we create a parent node with two children represented by  $P_i$  and  $P_j$ .
- The root of the tree has probability 1.0. We obtain the Huffman code of the symbols by traversing down the tree, assigning 1 to the left child and 0 to the right child.
- The resulting code words have the *prefix property* (i.e., no code word is a proper prefix of any other code word).
- This property ensures that a coded message is uniquely decodable without the need for lookahead.





- Figure summarizes the results and shows the Huffman codes for the seven symbols.
- We enter these code word mappings into a translation table and use the table to pad the appropriate code word into the output bit stream in the reduction process.
- The reduction ratio of Huffman coding depends on the distribution of the source symbols.
- In our example, the original data requires three bits to represent the seven quantized levels.



Symbols, $S_i$	3-bit binary code	Probability of occurrence, $P_i$	Huffman code
1	001	0.25	10
2	010	0.21	00
3	011	0.18	111
4	100	0.14	110
5	101	0.11	011
6	110	0.07	0101
7	111	0.04	0100





- $l_i$  represents the length of Huffman code for the symbols. This value is 2.65 in our example, resulting in an expected reduction ratio of 3:2.65.
- The reconstruction process begins at the root of the tree.
- If bit 1 is received, we traverse down the left branch, otherwise the right branch.
- We continue traversing until we reach a node with no child. We then output the symbol corresponding to this node and begin traversal from the root again.
- The reconstruction process of Huffman coding perfectly recovers the original data.
- Therefore it is a lossless algorithm. However, a transmission error of a single bit may result in more than one decoding error.
- This propagation of transmission error is a consequence of all algorithms that produce variable-length code words.



# Thank You!