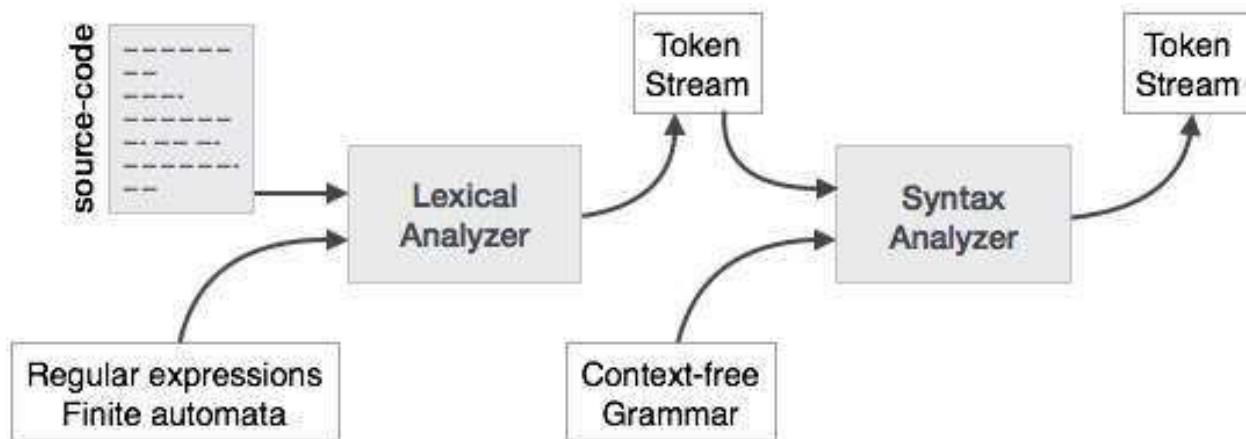




# Unit III – Syntax & Semantic Analysis



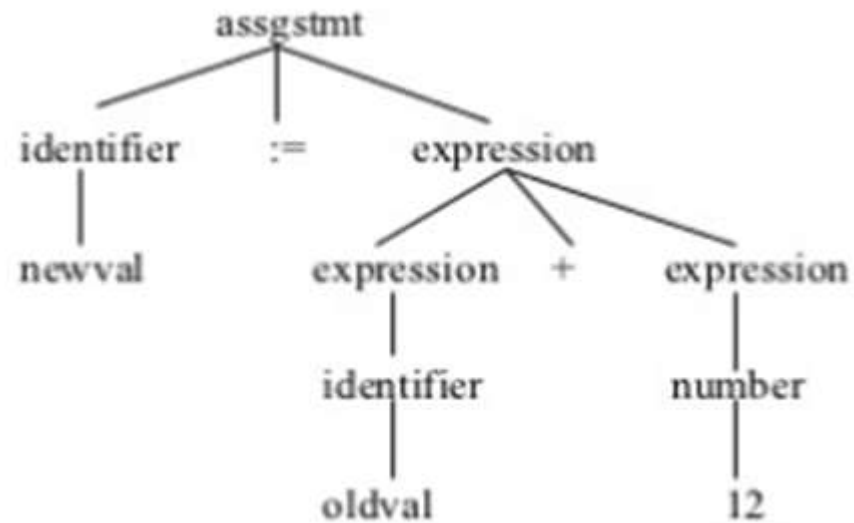
- 2<sup>nd</sup> phase of compilation process
- Syntax
- DS – Syntax tree /parse tree





# Syntax Analysis/parser

- Parse tree
  - Leaf node - terminals
  - Inner nodes – Non-Terminal





# Role of Syntax Analyzer

- Token streams → production rules → parse tree → error → error recovering strategies'
- Opening and closing brace
- Errors:
  - Arithmetic expression with unbalanced parenthesis
  - Error handler – clear and accurate, slow down of current program processing should be avoided
  - Error Recovery strategies
    - Panic mode
    - Phrase level
    - Error production
    - Global Correction
- Issues:
  - Data type mismatch for an operation → Semantic Analysis



# Context Free Grammar (CFG)

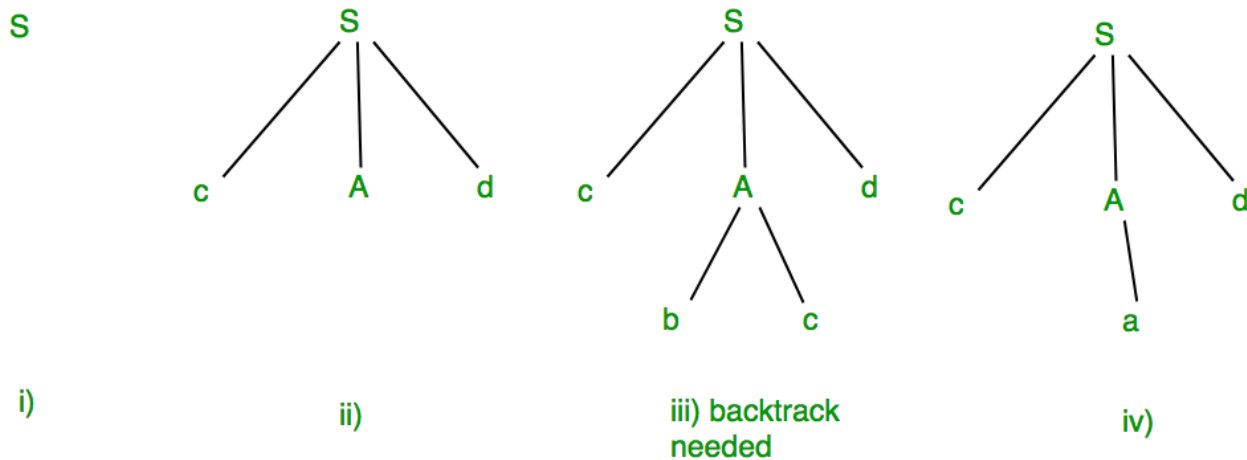
- Syntax analyzer
  - program - rules implied by CFG
  - Parse tree
- CFG
  - $G = (V, T, P, S)$
  - Type 2 (Context Free Grammar)
    - $\alpha \rightarrow \beta$
    - $\alpha \in V$
    - $\beta \in (V+T)^*$

| Grammar Accepted          | Automaton                |
|---------------------------|--------------------------|
| Unrestricted grammar      | Turing Machine           |
| Context-sensitive grammar | Linear-bounded automaton |
| Context-free grammar      | Pushdown automaton       |
| Regular grammar           | Finite state automaton   |



# Example for Syntax Analyzer

- Derivation  $\rightarrow$  sequence of production rules (INPUT STRING)
- $S \rightarrow cAd$
- $A \rightarrow bc|a$
- Input string is "cad"





# Syntax Analyzer - Derivation



- Sentential (String derivable from start symbol)
- Which Production rules is to be used for Non-Terminal
  - Left-most Derivation (left to right Non-terminal will be replaced)
  - Right-most Derivation (Right to Left)

- Example:

- $S \rightarrow (L)|a$
- $L \rightarrow L,S|S$
- Construct the string (a, a)

- Left Most Derivation

- $S \rightarrow (L)$
- $S \rightarrow (L,S)$
- $S \rightarrow (S,S)$
- $S \rightarrow (a,S)$
- $S \rightarrow (a,a)$

- Right Most Derivation

- $S \rightarrow (L)$
- $S \rightarrow (L,S)$
- $S \rightarrow (L,a)$
- $S \rightarrow (S,a)$
- $S \rightarrow (a,a)$



# Derivation – Example



- Example 2:

- $E \rightarrow E + E \mid E * E$

- $E \rightarrow \text{id}$

- $\text{String} \rightarrow \mathbf{id + id * id}$

- Left most derivation

- $E \rightarrow E + E$

- $E \rightarrow \text{id} + E$

- $E \rightarrow \text{id} + E * E$

- $E \rightarrow \text{id} + \text{id} * E$

- $E \rightarrow \text{id} + \text{id} * \text{id}$

- Right most derivation

- $E \rightarrow E + E$

- $E \rightarrow E + E * E$

- $E \rightarrow E + E * \text{id}$

- $E \rightarrow E + \text{id} * \text{id}$

- $E \rightarrow \text{id} + \text{id} * \text{id}$



# Writing a Grammar

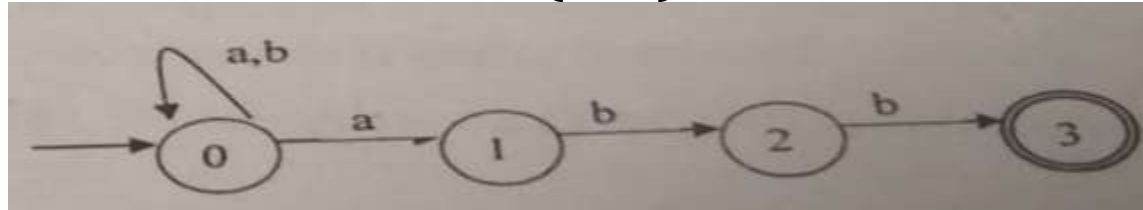
| REGULAR EXPRESSION  | CONTEXT-FREE GRAMMAR   |
|---|--|
| It is used to describe the tokens of programming languages.   | It consists of a quadruple where $S \rightarrow$ start symbol, $P \rightarrow$ production, $T \rightarrow$ terminal, $V \rightarrow$ variable or non-terminal. |
| It is used to check whether the given input is valid or not using <b>transition diagram</b> .                           | It is used to check whether the given input is valid or not using <b>derivation</b> .  |
| The transition diagram has set of states and edges.   | The context-free grammar has set of productions.   |
| It has no start symbol.   | It has start symbol.   |
| It is useful for describing the structure of lexical constructs such as identifiers, constants, keywords, and so forth. | It is useful in describing nested structures such as balanced parentheses, matching begin-end's and so on.   |





# Writing a Grammar

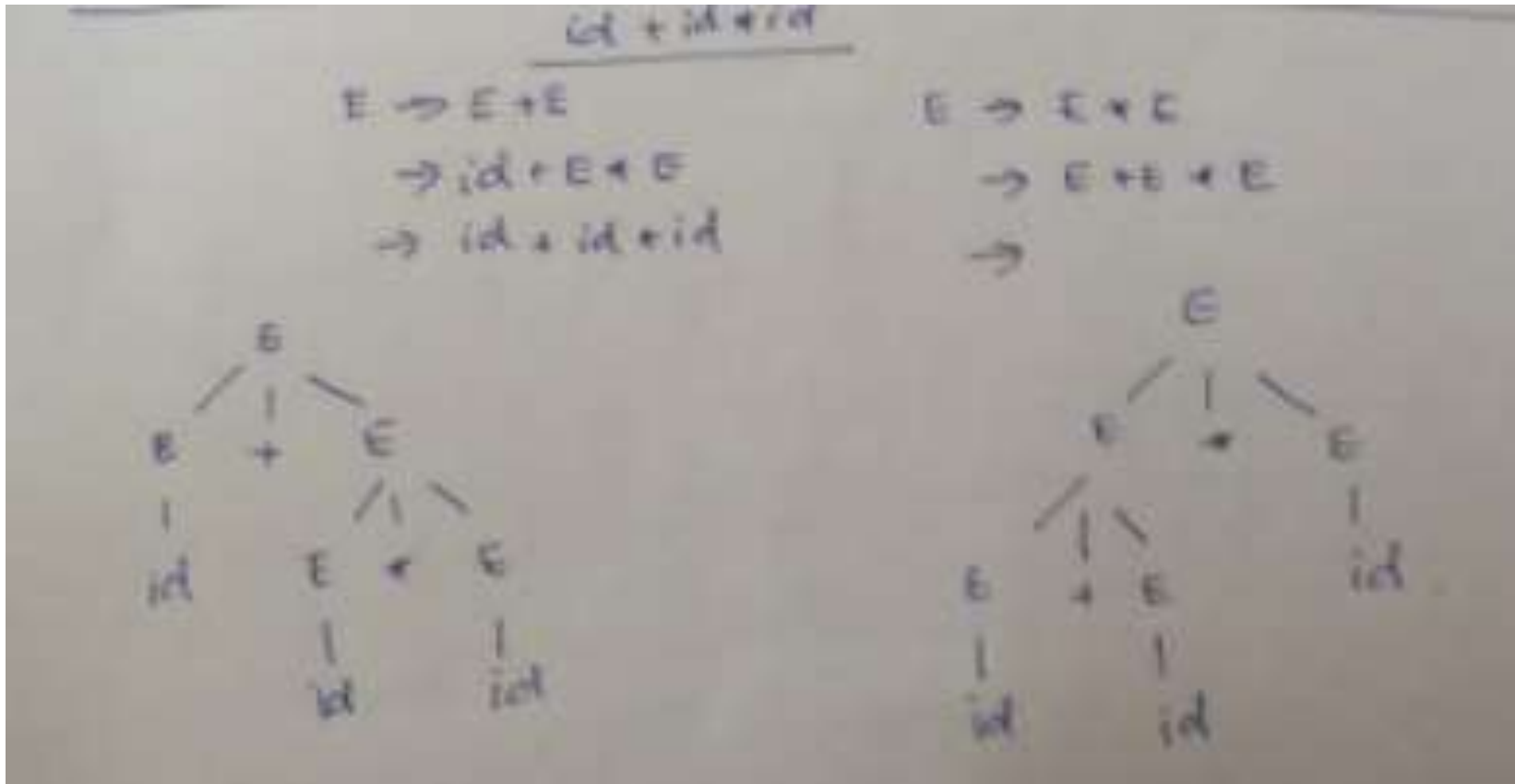
- Write the Grammar for RE =  $(a+b)^*abb$



- $A_0 \rightarrow aA_0 | bA_0 | aA_1$
- $A_1 \rightarrow bA_2$
- $A_2 \rightarrow bA_3$
- $A_3 \rightarrow \text{Epsilon}$
- To make it parsable – rewrite the Grammar
  - *Eliminating the Ambiguous Grammar*
  - *Eliminating Left-Recursion*
  - *Eliminating Left-Factoring*



# Parse Tree





# Eliminating the Ambiguous Grammar

- **Ambiguous grammar** – More than one parse tree (left/right derivation)

- Names of a person (Unique)

- Example :

- $E \rightarrow E + E \mid E * E$

- $E \rightarrow id$

- String  $\rightarrow id + id * id$

- Left most derivation(1)

- $E \rightarrow E + E$

- $E \rightarrow E + E * E$

- $E \rightarrow id + id * id$

- Left most derivation(2)

- $E \rightarrow E * E$

- $E \rightarrow E + E * E$

- $E \rightarrow id + id * id$

- Eliminating Ambiguity

- $E \rightarrow E + T \mid T$

- $T \rightarrow T * F \mid F$

- $F \rightarrow id$

- Left most derivation

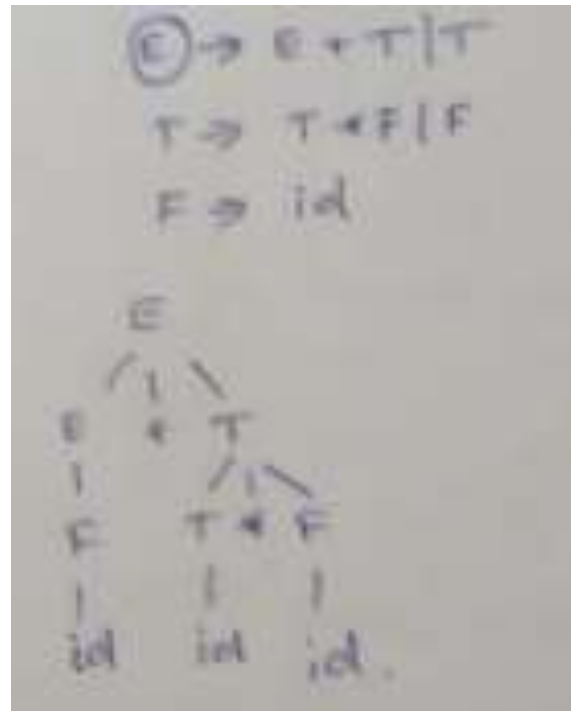
- $E \rightarrow E + T$

- $E \rightarrow T + T * F$

- $E \rightarrow F + F * F \rightarrow id + id * id$



# Parse Tree after Eliminating Ambiguity





# Eliminating Left Factoring

- Left Factoring – removing the common left factor that appears in two productions of same non-terminal
- Eliminating left factoring helps in ***avoiding the backtracking***
- Example:
- $A \rightarrow qB|qC$ 
  - $A \rightarrow qD$
  - $D \rightarrow B|C$



# Eliminating left Recursion

- Left Recursion
  - Left most non-terminal in a production of non-terminal is the non-terminal itself
- $A \rightarrow A\alpha | \beta$
- Where  $\alpha, \beta$  are sequence of terminals/non-terminals
- **General Form:**
- $A \rightarrow A\alpha | \beta \quad A \rightarrow \beta A'$ 
  - $A' \rightarrow \alpha A' | \epsilon$
- **Example1:**
- $E \rightarrow E+T | T, \alpha \rightarrow +T, \beta \rightarrow T$ 
  - $E \rightarrow TE'$
  - $E' \rightarrow +TE' | \epsilon$

$$A \rightarrow A \alpha | \beta$$

$$\rightarrow \beta \rightarrow A \alpha \rightarrow A \alpha \alpha \rightarrow A \alpha \alpha \alpha \rightarrow \beta \alpha \alpha \alpha \rightarrow \beta \alpha^*$$

- $\alpha^* = \{\text{empty}, \alpha, \alpha \alpha, \alpha \alpha \alpha, \alpha \alpha \alpha \alpha, \dots\}$
- $A \rightarrow \beta$
- $A \rightarrow A \alpha \rightarrow \beta \alpha$
- $A \rightarrow A \alpha \rightarrow A \alpha \alpha \rightarrow \beta \alpha \alpha$
- $A \rightarrow A \alpha \rightarrow A \alpha \alpha \rightarrow A \alpha \alpha \alpha \rightarrow \beta \alpha \alpha \alpha$



# Eliminating left Recursion

- **General Form:**
- $A \rightarrow A\alpha | \beta$ 
  - $A \rightarrow \beta A'$
  - $A' \rightarrow \alpha A' | \epsilon$
- Example 2:
- $A \rightarrow AB \alpha | Aa | a$ 
  - $\alpha 1 \rightarrow$
  - $\alpha 2 \rightarrow$
  - $\beta \rightarrow$
- Example 3:
- $A \rightarrow AC | Aad | bd | c$



# Examples

Ex:  
 $S \rightarrow iEtS \mid iEtSeS \mid a$   
 $E \rightarrow c$   
Left Factoring  
 $S \rightarrow iEtSS' \mid a$   
 $S' \rightarrow \epsilon \mid eS$   
 $E \rightarrow c$

one parse tree is  $a a + a$   
① Eliminate left recursion and left factoring.  
Ans:  $S \rightarrow SS^+ \mid SS^* \mid a$   
Elimination of Recursion for  
 $S \rightarrow SS^+ \mid a$   
 $S \rightarrow aS'$   
 $S' \rightarrow S^+S' \mid \epsilon$   
Elimination of Recursion for  
 $S \rightarrow SS^* \mid a$   
 $S \rightarrow aS'$   
 $S' \rightarrow S^*S' \mid \epsilon$





# Quiz



1. A given grammar is called ambiguous if
  - 1. Two or more productions have the same non-terminal on the left -hand side.
  - 2. A derivation tree has more than one associated sentence.
  - 3. There is a sentence with more than one derivation tree corresponding to it.
  - 4. Brackets are not present in the grammar
  
2. Given the grammar
  - $S \rightarrow T * S \mid T$
  - $T \rightarrow U + T \mid U$
  - $U \rightarrow a \mid b$ 
    - Ambiguous
    - Unambiguous