



UNIT I

SIGNAL FLOW GRAPH

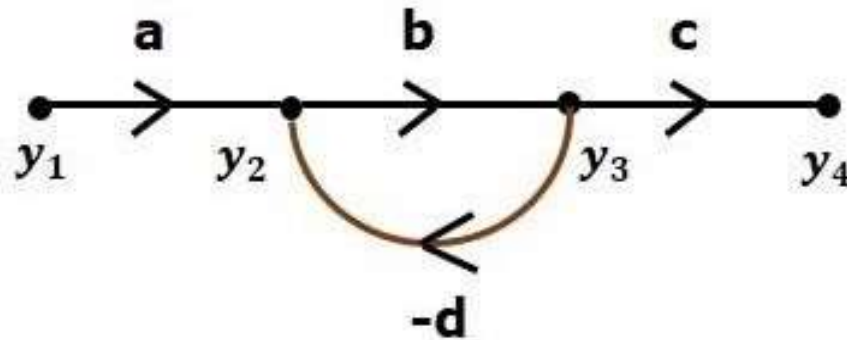


INTRODUCTION

- Signal flow graph is a graphical representation of algebraic equations
- The block diagram reduction process takes more time for complicated system
- So, to overcome this drawback, use signal flow graphs (representation) is done where the calculation of transfer function is just by using a Mason's gain formula without doing any reduction process.



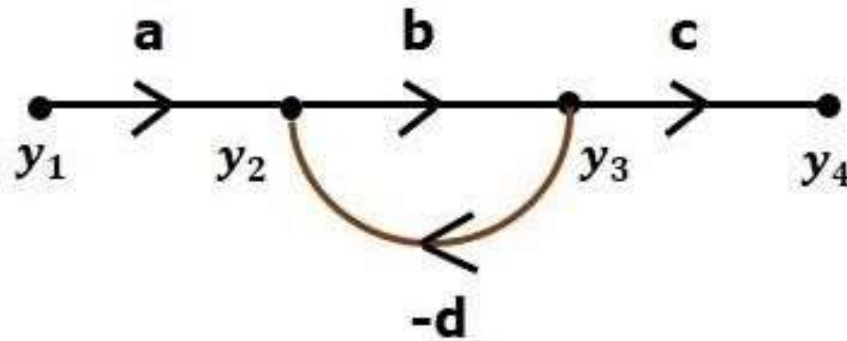
Basic Elements of Signal Flow Graph



- **Input Node** – It is a node, which has only outgoing branches.
- **Output Node** – It is a node, which has only incoming branches.
- **Branch** is a line segment which joins two nodes. It has both **gain** and **direction**
- **Open path**: A open path starts at a node and ends at another node



Basic Elements of Signal Flow Graph



- **Forward path:** It is a path from an input node to an output node that does not cross any node more than once.
- **Individual loop:** It is a closed path starting from one node and after passing through the graph arrives at the same node without crossing any node more than once.
- **Non-touching loops:** If a loop does not have a common node then they are said to be non-touching loops



Mason's Gain Formula

MASON'S GAIN FORMULA:-

Mason's gain formula states that,

$$\text{Overall gain, } T = \frac{1}{\Delta} \sum_k P_k \Delta_k.$$

where, $T = T(s)$ = Transfer fn of the system.

P_k = Forward path gain of k^{th} forward path.

$$\Delta = 1 - (\text{Sum of individual loop gains}) \\ + \left[\text{Sum of gain products of all possible combinations} \right. \\ \left. \text{of two non-touching loops} \right] \\ - \left[\text{Sum of gain products of all possible} \right. \\ \left. \text{combinations of three non-touching loops} \right] \\ + \dots$$

$\Delta_k = \Delta$ for that part of the graph which is not touching k^{th} forward path.



Conversion of Block Diagrams into Signal Flow Graphs

- Represent all the signals, variables, summing points and take-off points of block diagram as **nodes** in signal flow graph.
- Represent the blocks of block diagram as **branches** in signal flow graph.
- Represent the transfer functions inside the blocks of block diagram as **gains** of the branches in signal flow graph.
- Connect the nodes as per the block diagram.