



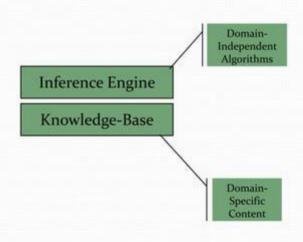
Artificial Intelligence Logical Agents

Logical Agents

- Humans can know "things" and "reason"
 - · Representation: How are the things stored?
 - Reasoning: How is the knowledge used?
 - To solve a problem...
 - To generate more knowledge...
- Knowledge and reasoning are important to artificial agents because they enable successful behaviors difficult to achieve otherwise
 - Useful in partially observable environments
- Can benefit from knowledge in very general forms, combining and recombining information

- Central component of a Knowledge-Based Agent is a <u>Knowledge-Base</u>
 - A set of sentences in a formal language
 - Sentences are expressed using a knowledge representation language
- Two generic functions:
 - TELL add new sentences (facts) to the Knowledge Base
 - "Tell it what it needs to know"
 - ASK query what is known from the Knowledge Base
 - · "Ask what to do next"

- The agent must be able to:
 - · Represent states and actions
 - Incorporate new percepts
 - Update internal representations of the world
 - Deduce hidden properties of the world
 - Deduce appropriate actions

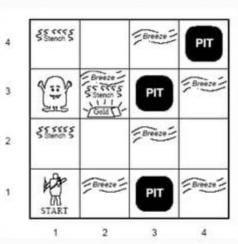


```
function KB-AGENT( percept) returns an action static: KB, a knowledge base t, a counter, initially 0, indicating time  \text{Tell}(KB, \text{Make-Percept-Sentence}(\ percept, t))   action \leftarrow \text{Ask}(KB, \text{Make-Action-Query}(t))   \text{Tell}(KB, \text{Make-Action-Sentence}(\ action, t))   t \leftarrow t+1   \text{return } action
```

- Declarative
 - You can build a knowledge-based agent simply by "TELLing" it what it needs to know

- Procedural
 - Encode desired behaviors directly as program code
 - Minimizing the role of explicit representation and reasoning can result in a much more efficient system

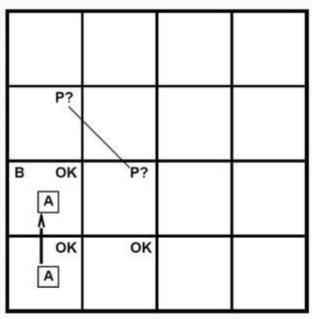
- Performance Measure
 - Gold +1000, Death 1000
 - Step -1, Use arrow -10
- Environment
 - Square adjacent to the Wumpus are smelly
 - · Squares adjacent to the pit are breezy
 - · Glitter iff gold is in the same square
 - · Shooting kills Wumpus if you are facing it
 - Shooting uses up the only arrow
 - Grabbing picks up the gold if in the same square
 - Releasing drops the gold in the same square
- Actuators
 - Left turn, right turn, forward, grab, release, shoot
- Sensors
 - Breeze, glitter, and smell

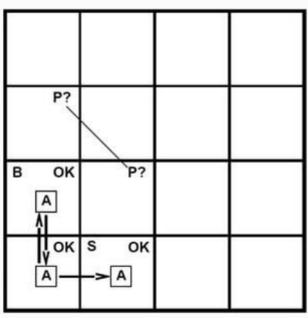


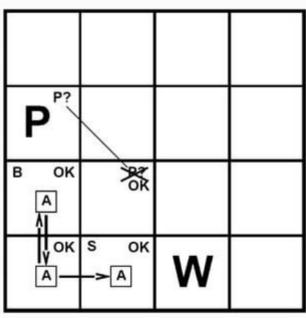
- Characterization of Wumpus World
 - Observable
 - · partial, only local perception
 - Deterministic
 - Yes, outcomes are specified
 - Episodic
 - No, sequential at the level of actions
 - Static
 - · Yes, Wumpus and pits do not move
 - Discrete
 - Yes
 - Single Agent
 - Yes

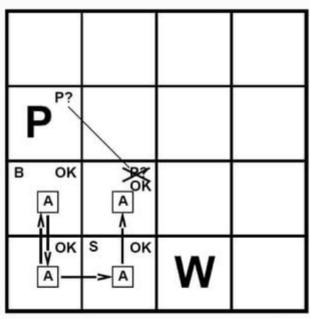
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ok A	ок	

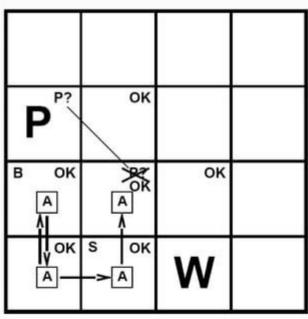
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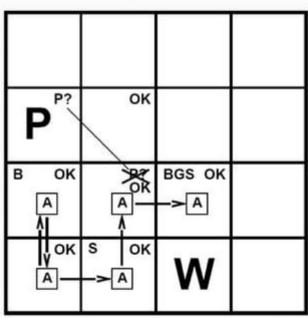




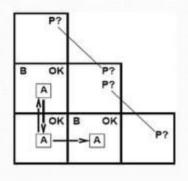




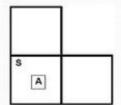




Other Sticky Situations



- Breeze in (1,2) and (2,1)
 - No safe actions



- Smell in (1,1)
 - Cannot move

- Knowledge bases consist of sentences in a formal language
 - Syntax
 - Sentences are well formed
 - Semantics
 - The "meaning" of the sentence
 - The truth of each sentence with respect to each possible world (model)

• Example:

 $x + 2 \ge y$ is a sentence

 $x_2 + y > is$ not a sentence

x + 2 >= y is true iff x + 2 is no less than y

x + 2 >= y is true in a world where x = 7, y=1

x + 2 >= y is false in world where x = 0, y = 6

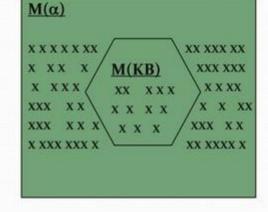
Entailment means that one thing follows logically from another
 α |= β

- $\alpha \mid = \beta$ iff in every model in which α is true, β is also true
- if α is true, then β must be true
- the truth of β is "contained" in the truth of α

- Example:
 - A Knowledge Base containing
 - "Cleveland won"
 - · "Dallas won"
 - Entails...
 - "Either Cleveland won or Dallas won"
- Example:

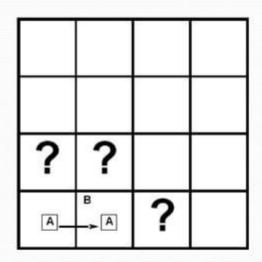
$$x + y = 4$$
 entails $4 = x + y$

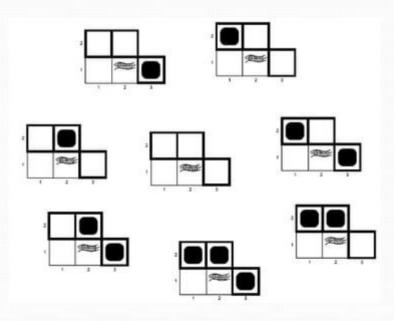
- A model is a formally structured world with respect to which truth can be evaluated
 - M is a model of sentence α if α is true in m



• Then KB \mid = α if M(KB) \subseteq M(α)

- Entailment in Wumpus World
- Situation after detecting nothing in [1,1], moving right, breeze in [2,1]
- Consider possible models for ? assuming only pits
- 3 Boolean choices => 8 possible models





- <u>Inference</u> is the process of deriving a specific sentence from a KB (where the sentence must be entailed by the KB)
 - KB |-i α = sentence α can be derived from KB by procedure I
- "KB's are a haystack"
 - Entailment = needle in haystack
 - Inference = finding it

- Soundness
 - · i is sound if...
 - whenever KB $|-_i \alpha$ is true, KB $|= \alpha$ is true
- Completeness
 - · i is complete if
 - whenever KB $\mid = \alpha$ is true, KB $\mid -_{i} \alpha$ is true
- ullet If KB is true in the real world, then any sentence α derived from KB by a sound inference procedure is also true in the real world

Propositional Logic

- AKA Boolean Logic
- False and True
- Proposition symbols P1, P2, etc are sentences
- NOT: If S₁ is a sentence, then ¬S₁ is a sentence (negation)
- AND: If S1, S2 are sentences, then S1 \(\sigma \) S2 is a sentence (conjunction)
- OR: If S₁, S₂ are sentences, then S₁ ∨ S₂ is a sentence (disjunction)
- IMPLIES: If S1, S2 are sentences, then S1 ⇒ S2 is a sentence (implication)
- IFF: If S₁, S₂ are sentences, then S₁ ⇔ S₂ is a sentence (biconditional)

Propositional Logic

<u>P</u>	Q	<u>¬P</u>	P∧Q	P∨Q	P⇒Q	P⇔Q
False	False	True	False	False	True	True
False	True	True	False	True	True	False
True	False	False	False	True	False	False
True	True	False	True	True	True	True

Reasoning with Horn Clauses

- Forward Chaining
 - For each new piece of data, generate all new facts, until the desired fact is generated
 - · Data-directed reasoning
- Backward Chaining
 - To prove the goal, find a clause that contains the goal as its head, and prove the body recursively
 - (Backtrack when you chose the wrong clause)
 - Goal-directed reasoning

- AND-OR Graph
 - multiple links joined by an arc indicate conjunction every link must be proved
 - multiple links without an arc indicate disjunction any link can be proved

$$P \Rightarrow Q$$

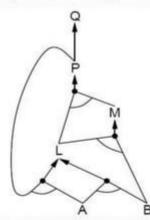
$$L \land M \Rightarrow P$$

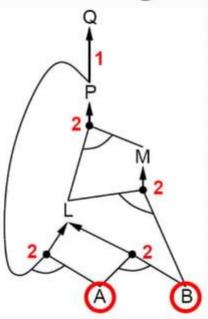
$$B \land L \Rightarrow M$$

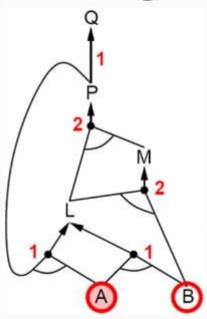
$$A \land P \Rightarrow L$$

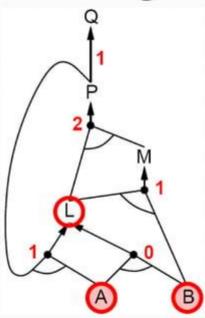
$$A \land B \Rightarrow L$$

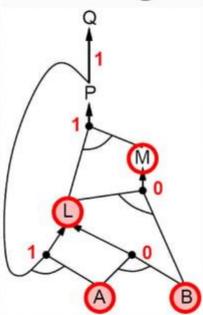
$$A$$

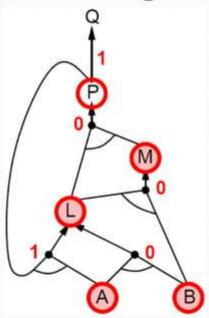


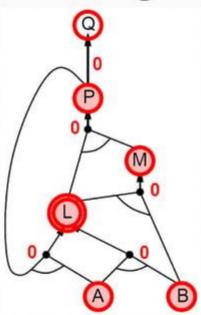


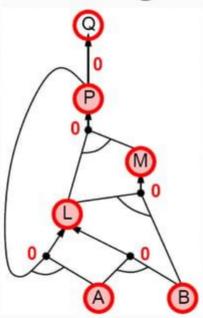




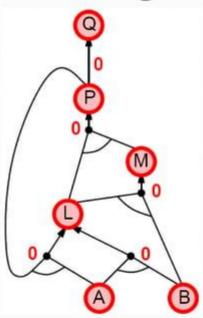




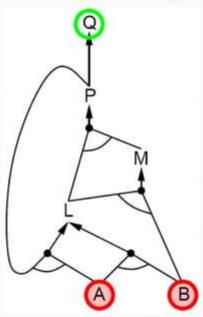


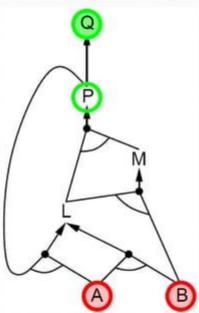


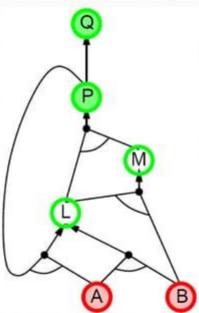
Forward Chaining

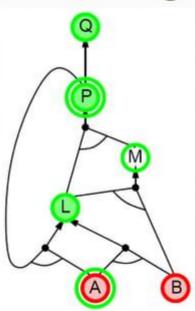


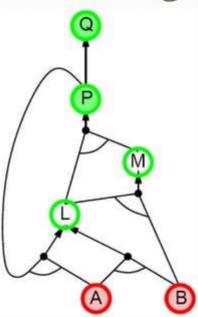
- Idea: work backwards from the query q:
 - To prove q by BC,
 - · Check if q is known already, or
 - Prove by BC all premises of some rule concluding q
- Avoid loops
 - Check if new subgoal is already on the goal stack
- Avoid repeated work: check if new subgoal
 - Has already been proved true, or
 - Has already failed

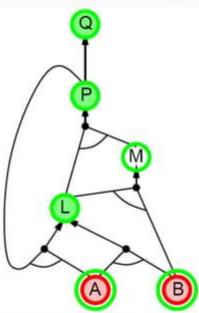


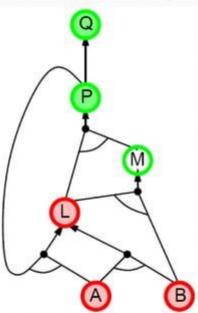


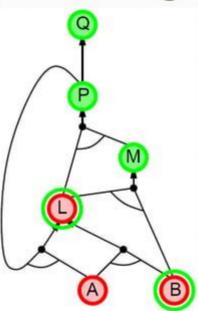


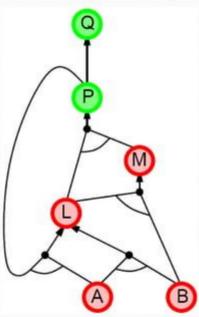


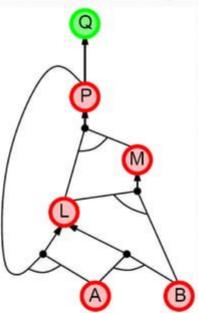


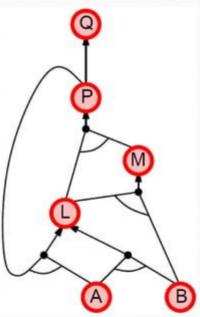












Forward Chaining vs. Backward Chaining

- Forward Chaining is data driven
 - · Automatic, unconscious processing
 - E.g. object recognition, routine decisions
 - · May do lots of work that is irrelevant to the goal
- Backward Chaining is goal driven
 - Appropriate for problem solving
 - E.g. "Where are my keys?", "How do I start the car?"
- The complexity of BC can be much less than linear in size of the KB

Thanks...