



# SNS COLLEGE OF TECHNOLOGY

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COIMBATORE-35

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## *19ECB231/ Digital Electronics*

### Code converters - Magnitude Comparator





## Magnitude Comparator

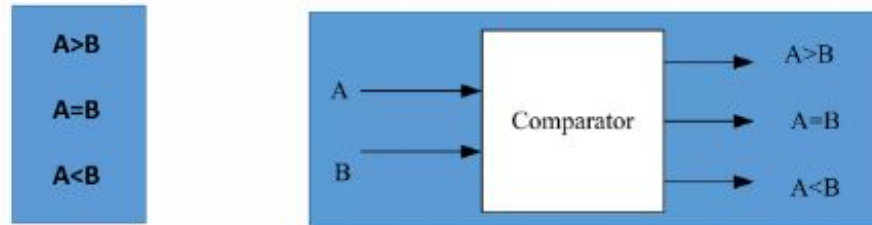
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- A magnitude digital comparator is a combinational circuit that compares two digital or binary numbers (consider A and B) and determines their relative magnitudes in order to find out whether one number is equal, less than or greater than the other digital number.
- Three binary variables are used to indicate the outcome of the comparison as  $A > B$ ,  $A < B$ , or  $A = B$ . The below figure shows the block diagram of a n-bit comparator which compares the two numbers of n-bit length and generates their relation between themselves.



## LOGIC DESIGN PROCEDURE

Magnitude comparator is a combinational circuit that compares two numbers and determines their relative magnitude. A comparator is shown as Figure 2.1. The output of comparator is usually 3 binary variables indicating:





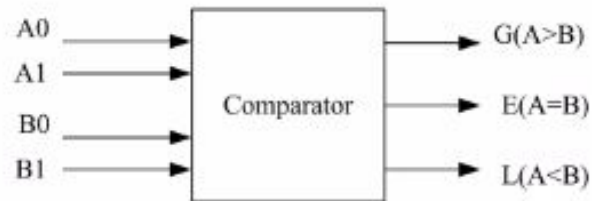
## LOGIC DESIGN FOR 2-BIT COMPARATOR

For a 2-bit comparator, we have four inputs A1A0 and B1B0 and three outputs:

**E (is 1 if two numbers are equal)**

**G (is 1 when  $A > B$ ) and**

**L (is 1 when  $A < B$ )**





## RESULT

If we use truth table and K-MAP, the result is

$$E = A_1' A_0' B_1' B_0' + A_1' A_0 B_1' B_0 + A_1 A_0 B_1 B_0 + A_1 A_0' B_1 B_0'$$

or

$$E = ((A_0 \oplus B_0) + (A_1 \oplus B_1))'$$

$$G = A_1 B_1 + A_0 B_1 B_0' + A_1 A_0 B_0'$$

$$L = A_1' B_1 + A_1' A_0 B_0 + A_0' B_1 B_0$$

Here we use simpler method to find E (called X) and G (called Y) and L (called Z)

### CASE 1: A=B if all $A_i = B_i$

It means  $X_0 = A_0 B_0 + A_0' B_0'$  and

$$X_1 = A_1 B_1 + A_1' B_1'$$

If  $X_0=1$  and  $X_1=1$  then  $A_0=B_0$  and  $A_1=B_1$

Thus, if  $A=B$  then  $X_0 X_1 = 1$  it means

$$X = (A_0 B_0 + A_0' B_0')(A_1 B_1 + A_1' B_1')$$

$$\text{since } (x \oplus y)' = (xy + x'y')$$

$$X = (A_0 \oplus B_0)' (A_1 \oplus B_1)' = ((A_0 \oplus B_0) + (A_1 \oplus B_1))'$$

It means for X we can NOR the result of two exclusive-OR gates.

Ai	Bi	Xi
0	0	1
0	1	0
1	0	0
1	1	0



### **CASE 2: A>B**

means

If  $A_1=B_1$  ( $X_1=1$ ) then  $A_0$  should be 1 and  $B_0$  should be 0

**For A > B:**  $A_1 > B_1$  or

$A_1 = B_1$  and  $A_0 > B_0$

It means  $Y = A_1 B'_1 + X_1 A_0 B'_0$  should be 1 for A > B.

A1	B1	Y1
0	0	0
0	1	0
1	0	1
1	1	0

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### **CASE 3: For B>A : B1 > A1**

$A_1=B_1$  and  $B_0 > A_0$

$Z = A'_1 B_1 + X_1 A'_0 B_0$

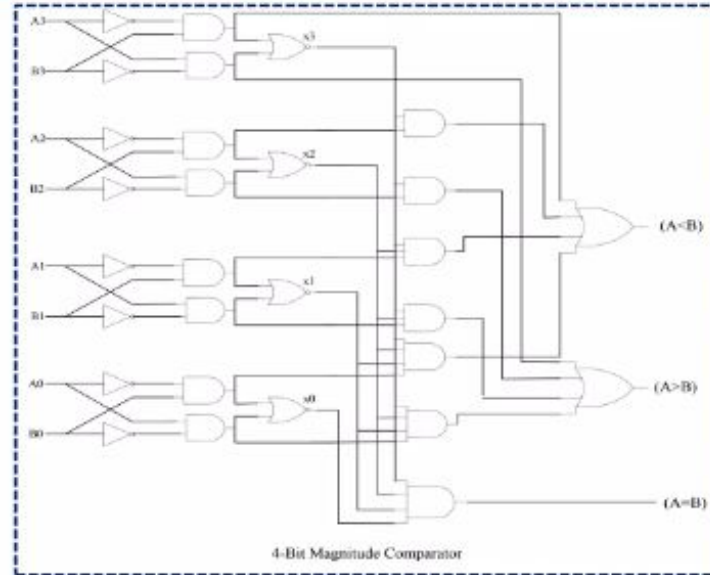
A0	B0	Y0
0	0	1
0	1	0
1	0	0
1	1	0



## 4-BIT COMPARATOR

The procedure for binary numbers with more than 2 bits can also be found in the similar way. Figure shows the 4-bit magnitude comparator.

**Input:  $A=A_3A_2A_1A_0$**   
 **$B=B_3B_2B_1B_0$**





# RECAP





Thank You!