SNS COLLEGE OF ENGINEERING (Autonomous) DEPARTMENT OF ELECTRONICS AND COMMUNICATION ENGINEERING



19EC504 – TRANSMISSION LINES AND ANTENNAS

III YEAR/ V SEMESTER

UNIT 2 – GUIDED WAVES

TOPIC 1– WAVES BETWEEN PARALLEL PLANES

WAVES BETWEEN PARALLEL PLANES/19EC504-TRANSMISSION LINES AND ANTENNAS/MUBARAALI L



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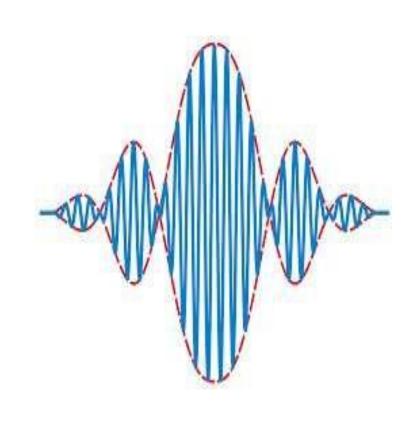


WHAT DO YOU RELATE FROM THIS?











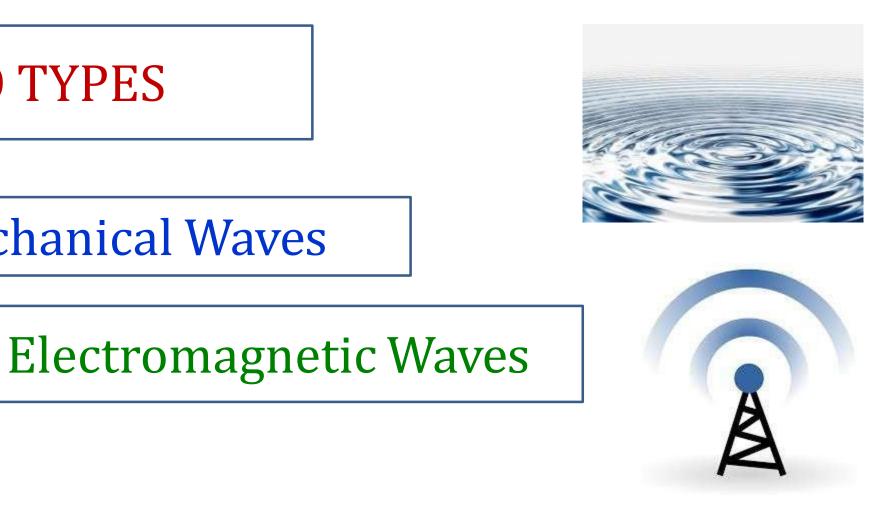
WAVES

A wave is a disturbance (change from equilibrium) of one or more fields such that the field values oscillate repeatedly about a stable equilibrium



Mechanical Waves



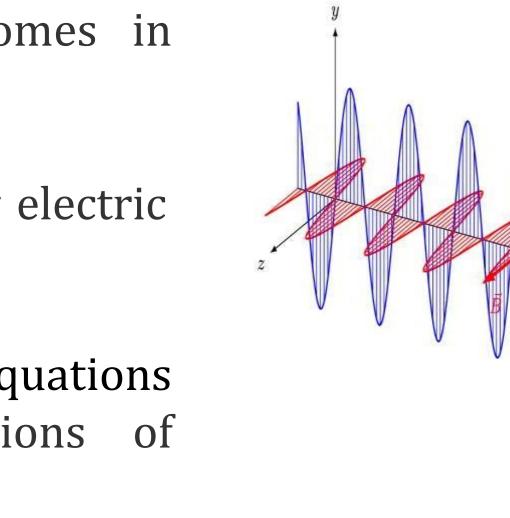


ELECTROMAGNETIC WAVES



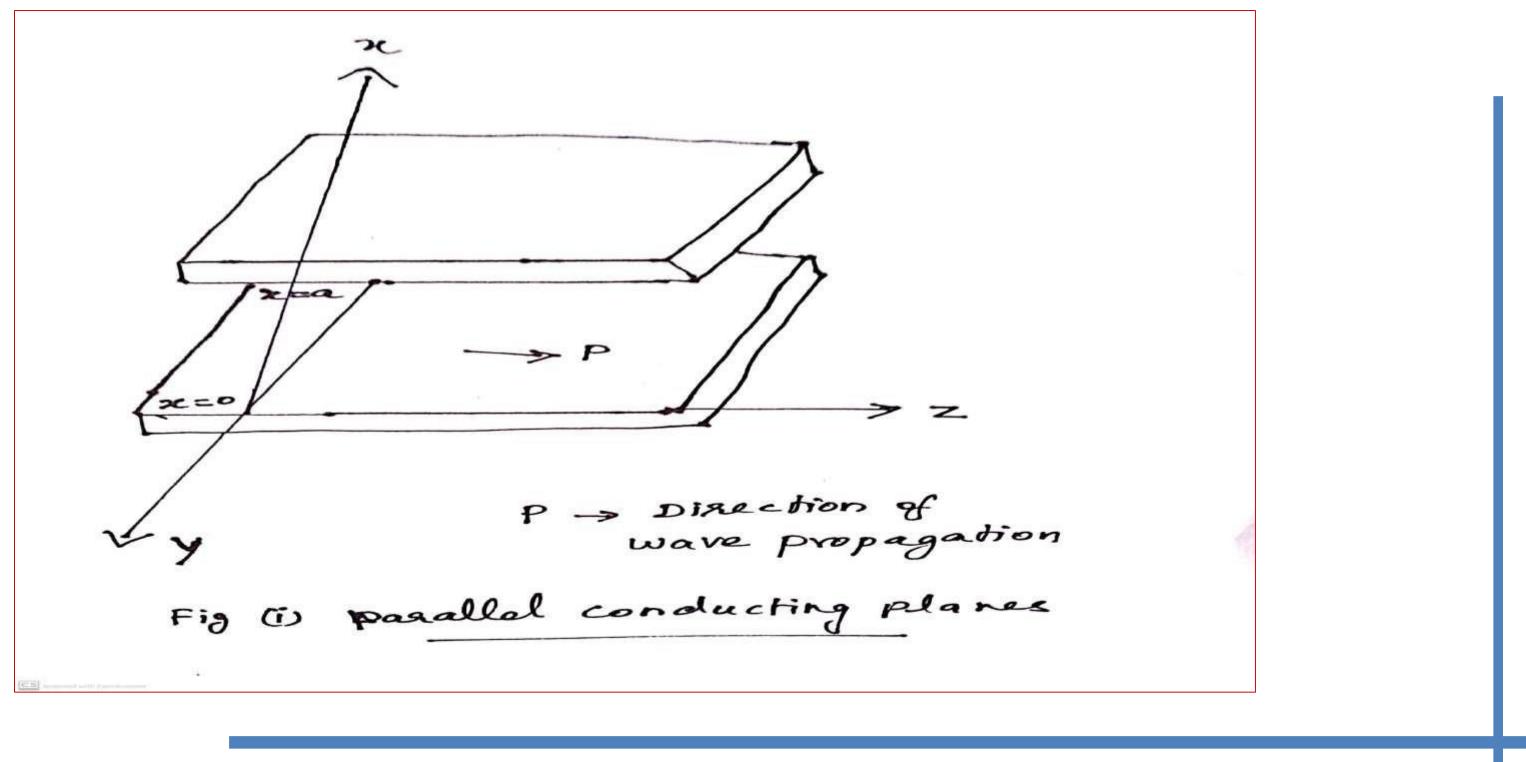
- Electromagnetic waves are also known as EM waves
- \triangleright Produced when an electric field comes in contact with the magnetic field
- ➤They are the composition of oscillating electric and magnetic fields
- ≻They are solutions of Maxwell's equations which are the fundamental equations of electrodynamics







EM WAVE PROPAGATION BETWEEN PARALLEL PLANES



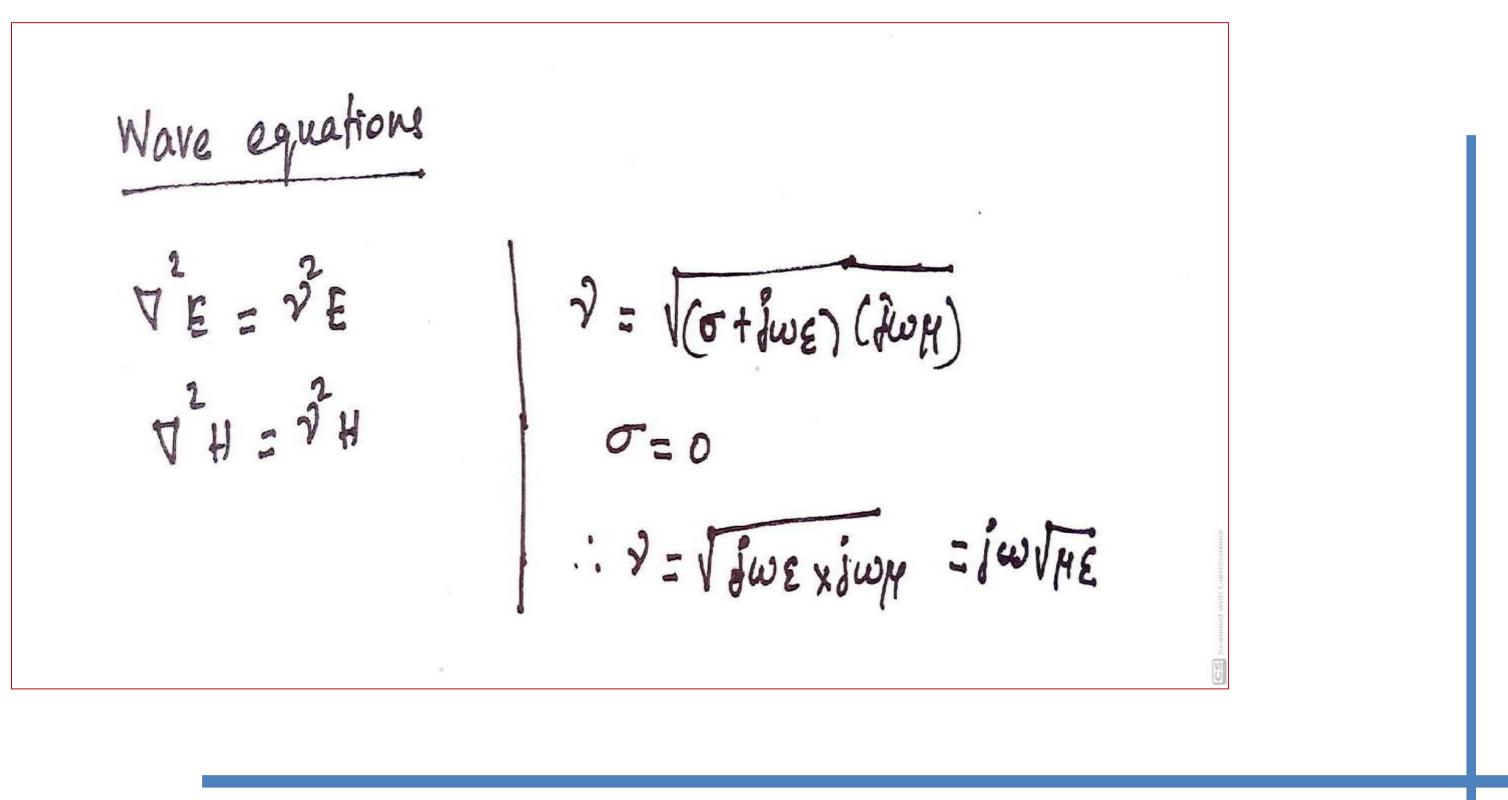




In order to determine the EM field configuration in the region between the planes -> Maxwell's equations will be solved -> subject to appropriate boundary conditions. Maxwell's Equations Boundary conditions for perfectly conducting VXH = o + jwgE planes (0=0, Since Medium between The plane is air) Etan = 0 · VXH = JWEE VXE = - JWMH Hung - 0













ting





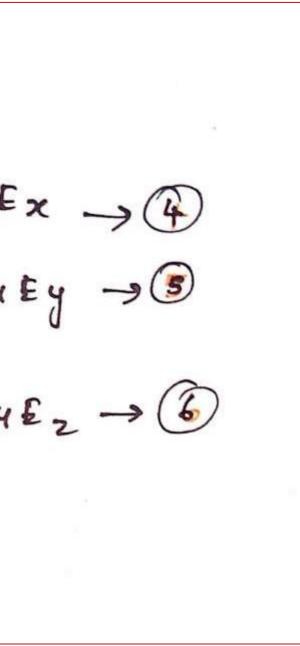
$$III^{Ly} \quad for \quad [\nabla X \neq = -\dot{d} w \mu H]$$

$$\frac{\partial E_z}{\partial Y} - \frac{\partial E_y}{\partial z} = -\dot{d} w \mu E$$

$$- \left[\frac{\partial E_z}{\partial x} - \frac{\partial E_x}{\partial z} \right] = -\dot{d} w \mu E$$

$$\frac{\partial E_y}{\partial x} - \frac{\partial E_x}{\partial y} = -\dot{d} w \mu E$$









B=D

potion, but only splitude. ve value. , but no attenuation.



Important Assumptions
* In Y-direction
$$\rightarrow$$
 the field is un
constant.
 $\therefore \frac{\partial}{\partial y} = 0$
* In x-direction \rightarrow Certain bound
 $so \frac{\partial}{\partial z} \rightarrow no$
* In 2-direction \rightarrow The wave is a
Propagate
 $\therefore \frac{\partial}{\partial z} = -\frac{1}{2}$
 $\frac{\partial^{2} z}{\partial z^{2}} = -\frac{1}{2}$



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dacy must met. change

exemed to



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After substituting assumptions
$$\rightarrow eque C$$

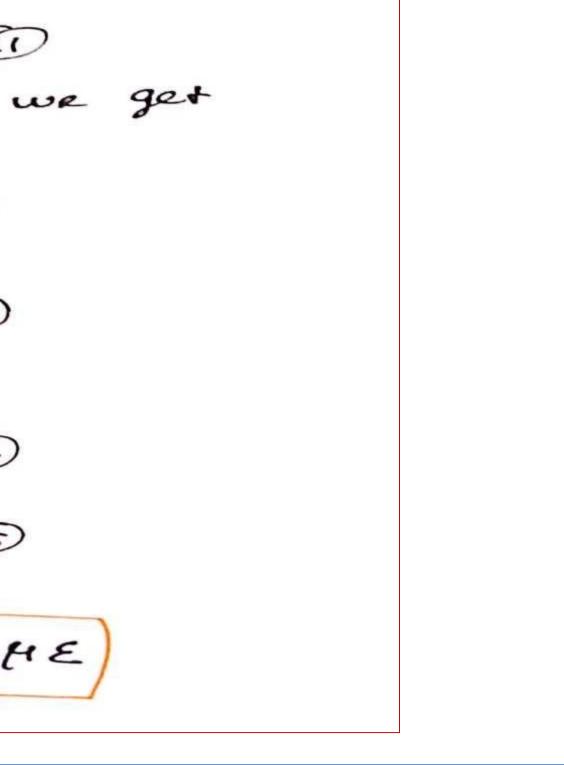
 $\overline{\partial}Hy = \overline{\partial}W \in E_{\mathcal{X}} \rightarrow \widehat{\oplus}$ $| \overline{\partial}Ey$
 $-\overline{\partial}H_{\mathcal{X}} - \overline{\partial}H_{\mathcal{Z}} = \overline{\partial}W \in E_{\mathcal{Y}} - \widehat{\oplus}$ $| -\overline{\partial}E_{\mathcal{X}} - \overline{\partial}E_{\mathcal{X}} - \overline{\partial}$



Z-jwpHz -JD











- > In equations 12 &13 there is a component of electric field in the direction of propagation (Ez), but no component of magnetic field (Hz)
- \succ These waves are known as E waves or Transverse Magnetic(TM) waves
- \blacktriangleright In equations 14 &15 there is a component of magnetic field in the direction of propagation (Hz), but no component of electric field (Hz)
- > These waves are known as H waves or Transverse Electric (TE) waves

