

FUNDAMENTALS OF OPERATIONAL AMPLIFIER

Applications of operational amplifiers:

- \* Adder
- \* Subtractor
- \* Instrumentation amplifier
- \* Integration
- \* I to V, V to I conversion
- \* Differentiator

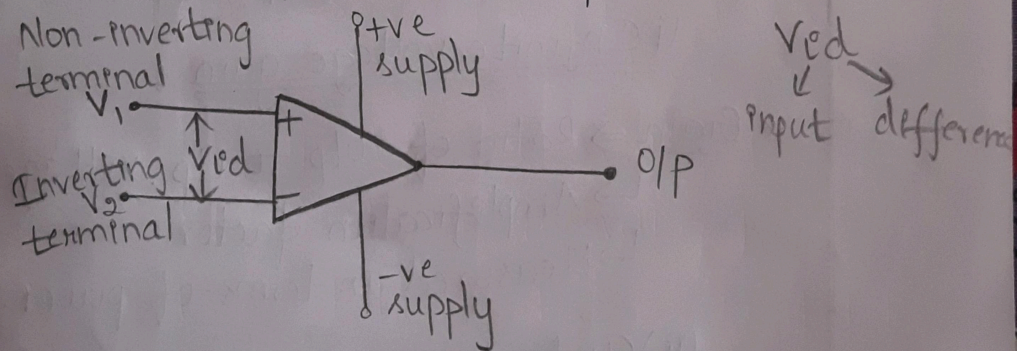
Amplifier:

\* It is an electronic device that increases the magnitude of the signal [i.e. current, voltage (or) power].

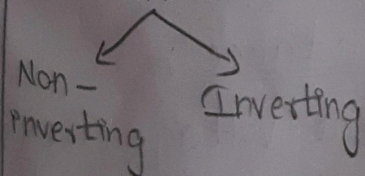
Applications:

- \* Wireless communication
- \* Signal broadcasting
- \* Audio equipment

Operational amplifier (Op-Amp):



\* An operational amplifier is an analog circuit, its basic operation is to amplify and output the voltage difference between two i/p.





31/08/2023 \* Linear Integrated Circuit  $\Rightarrow$  D. Roy Choudhary  
(5th edition)

\* M. Morris Mano and Michael D. Ciletti  $\Rightarrow$   
Digital Design (5th edition).

Ideal characteristics of op-Amp:

Op-Amp:

It has three terminals:

- i) 2 - high impedance  $e_i$  no current
- ii) 1 - Low impedance  $e_o$

Impedance  $\Rightarrow$  How much voltage / current it  
can oppose.

Digital circuit  $\Rightarrow$  called as impedance

Analog circuit  $\Rightarrow$  called as resistance

\* Op-Amp  $\Rightarrow$  IC 741.

Ideal characteristics of op-Amp:

(i) Infinite voltage gain:

- \* Gain  $\Rightarrow$  Ratio of o/p to i/p. voltage
- $\hookrightarrow$  Amplification factor
- $\hookrightarrow$  Measured in terms of power.

(ii) Infinite input resistance ( $R_i$ ):

\* Input resistance  $\Rightarrow$  Not drawing any  
current from any circuit which is  
connected to it.

(iii) Zero output resistance:

\* It signifies that the voltage across the  
load will be same as the voltage output  
of op-Amp.  
 $\hookrightarrow$  device connected to o/p.



(iv) Zero output voltage (when  $e/p$  is zero):

(v) Infinite band width

↳ Zero to infinity value of frequency can be accepted. So, that any  $e/p$  signal can be amplified.  
Band width  $\Rightarrow$  Band of frequency.

(vi) Infinite common mode rejection ratio (CMRR):

\* CMRR  $\Rightarrow$  It is the measure of the capability of op-Amp to reject the signal i.e. common to both  $e/p$ .

(vii) Infinite slew rate:

\* Slew rate  $\Rightarrow$  Defined as the max rate of change of op-Amp output voltage. So, that the o/p changes occur with the  $e/p$  voltage change.

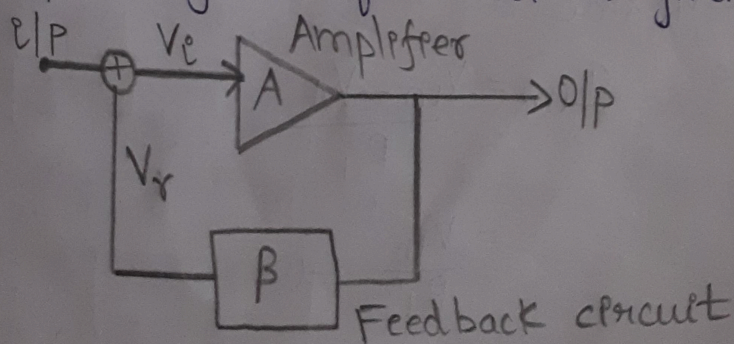
(viii) Zero offset voltage:

\* Offset voltage  $\Rightarrow$  Defined as the differential voltage that must be applied b/w the  $e/p$  terminals to bring its o/p voltage zero.

Feedback in Op-Amp:

\* Feedback is <sup>when</sup> a fraction of o/p signal is fed back into  $e/p$ .

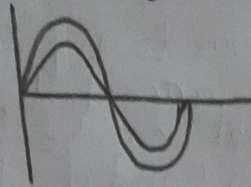
\* To improve gain, feedback is given.



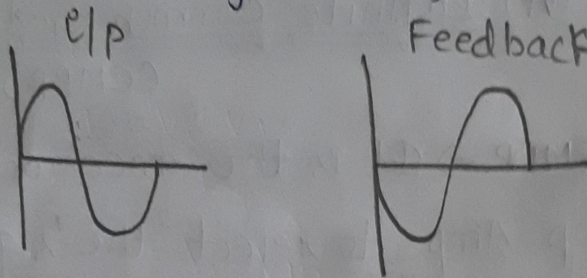


Types:

(i) +ve Feedback (Regenerative)  $\Rightarrow$  Sum  $\Rightarrow$  Both in same phase  
 e/p  $\leftarrow$  feedback



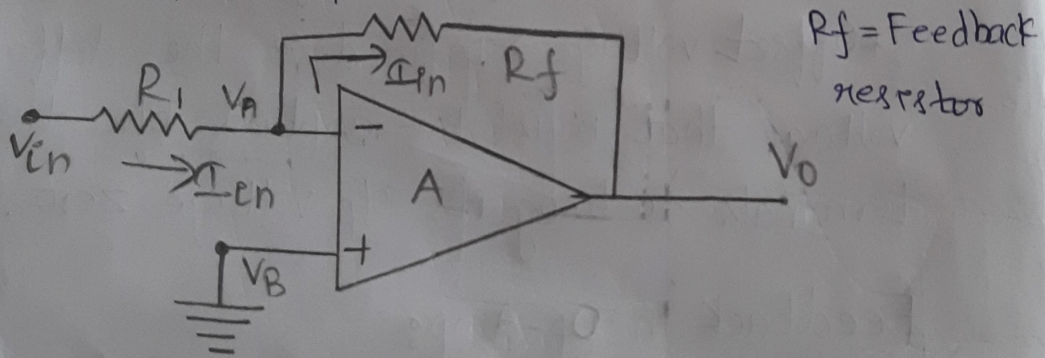
(ii) -ve Feedback (Degenerative)  $\Rightarrow$  Subtract  $\Rightarrow$  out of phase



- \* Op-Amp is used with -ve feedback.
- ve feedback provides gain stability.
- $\hookrightarrow$  Reduces the noise level.

04/09/2023 Inverting amplifier:

- \* In inverting amplifier input is applied to inverting terminal (-).
- \* Graph  $\Rightarrow$  out of phase.



$R_f$  = Feedback resistor

Assume

$$V_A = V_B$$

$V_B$  is connected to ground

$$V_A = 0$$

At e/p side

$$I_{in} = \frac{V_{in} - V_A}{R_1}$$

$$[I = \frac{V}{R}]$$

$$= \frac{V_{in}}{R_1} \rightarrow \text{①}$$



At o/p side,

$$I_{in} = \frac{V_A - V_O}{R_f}$$
$$= \frac{-V_O}{R_f} \rightarrow \textcircled{2}$$

Equate ① + ②,

$$\frac{V_{in}}{R_1} = -\frac{V_O}{R_f}$$

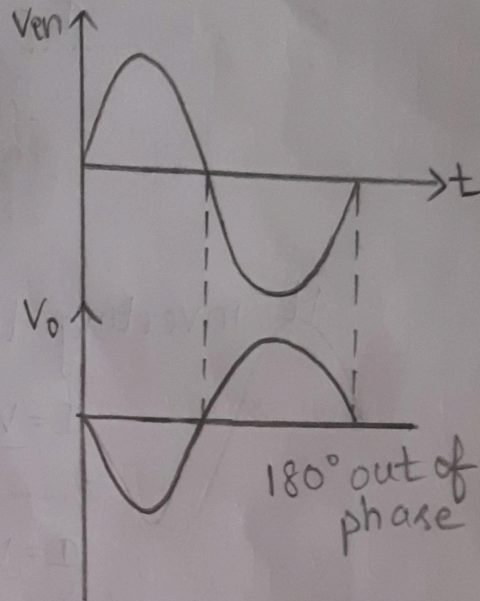
$$\frac{V_{in}}{V_O} = -\frac{R_1}{R_f}$$

$$V_O = -\frac{R_f V_{in}}{R_1}$$

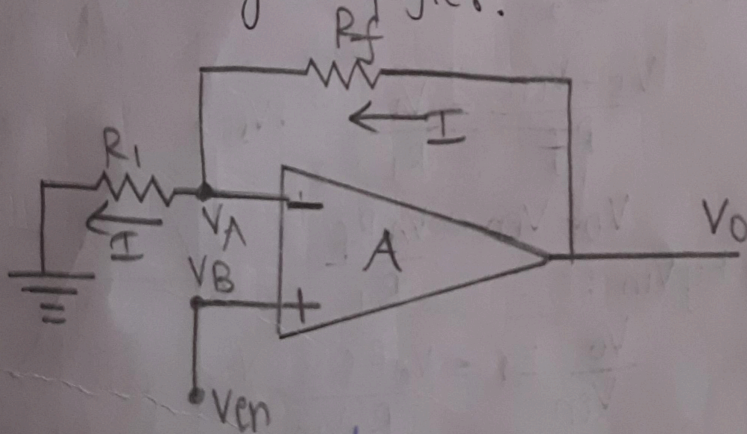
$$\frac{V_O}{V_{in}} = -\frac{R_f}{R_1}$$

$$A = -\frac{R_f}{R_1}$$

O/p waveform



Non-inverting amplifier:



\* Non inverting op-Amp is an op-Amp circuit with an output voltage that is in phase with an input voltage.

\* In this configuration, the i/p signal is given to the non-inverting (+) terminal and the inverting terminal is connected to the ground.

\* There are two assumptions,



(i) Current will not flow through the o/p terminal of op-amp. So the  $V_o$  produces the current 'I' from  $V_o$  terminal to  $V_A$ .

$$(ii) V_A = V_B$$

$$V_A = V_{in}$$

At o/p side,

$$\begin{aligned} I &= \frac{V_o - V_A}{R_f} \\ &= \frac{V_o - V_{in}}{R_f} \rightarrow \textcircled{1} \end{aligned}$$

At inverting terminal,

$$I = \frac{V_A - 0}{R_1}$$

$$I = \frac{V_A}{R_1} \rightarrow \textcircled{2}$$

Equate  $\textcircled{1}$  &  $\textcircled{2}$ ,

$$\frac{V_o - V_{in}}{R_f} = \frac{V_A}{R_1}$$

$$V_o - V_{in} = \frac{V_A R_f}{R_1}$$

Divide by ' $V_{in}$ ':

$$\frac{V_o}{V_{in}} - 1 = \frac{V_A R_f}{R_1 V_{in}}$$

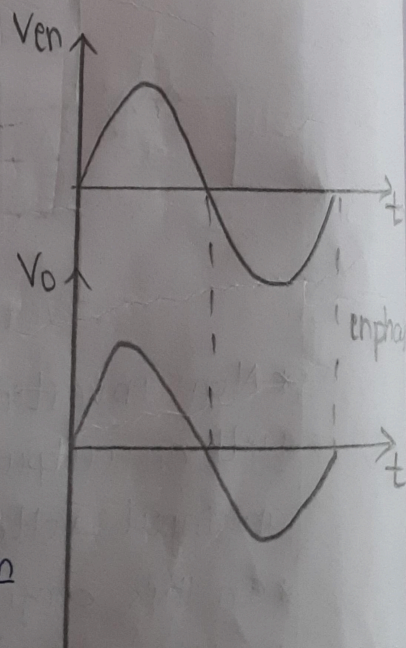
$$\frac{V_o}{V_{in}} = \frac{V_A R_f}{R_1 V_{in}} + 1$$

$$\frac{V_o}{V_{in}} = \frac{V_A R_f + R_1 V_{in}}{R_1 V_{in}}$$

$$[V_A = V_{in}] \quad V_o = \frac{V_{in} R_f + V_{in} R_1}{R_1}$$

$$V_o = V_{in} \left[ \frac{R_f + R_1}{R_1} \right]$$

o/p waveform



$$\frac{V_o}{V_{in}} = \frac{R_f + R_i}{R_i}$$

$$A = 1 + \frac{R_f}{R_i}$$