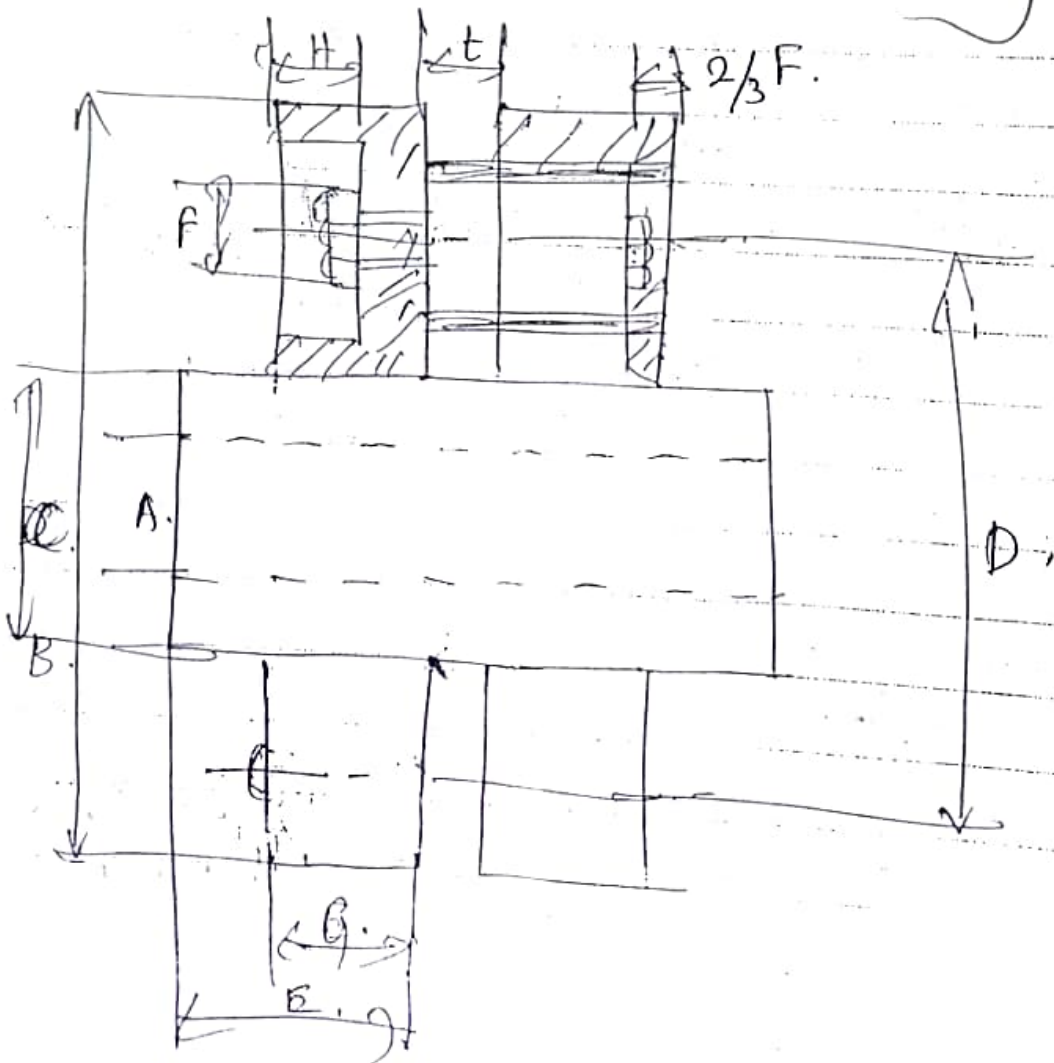


# Design of Bushed pin type flexible coupling:

With reference to P.S.G. D.B. 7-106;

- A → Diameter of shaft.
- B → OD of flange.
- C →  $\phi$  of hub.
- D → pitch  $\phi$  of bolts on flange.
- E → length of Hub.
- F → Diameter of bolts.
- G → Length of bush in flange.
- H → protective layer thickness.
- n → No of bolts.
- db → Diameter of bush.
- t → clearance.



1. Design a bushed pin type of flange coupling to connect a pump shaft to a motor shaft transmitting 30kW at 900rpm. The overall torque is 15% greater than mean torque. The material allowable properties are as follows

Crushing stress for shaft & key = 80Mpa.

Shear stress for shaft & key = 40Mpa.

Shear stress of coupling = 18Mpa.

Bearing pressure for rubber bush = 0.8 Mpa.

Material of the pin is same as shaft & key:

Given:

Power (P) = 30 kW

Speed (N) = 900 rpm.

$T_{max} = 1.15 T_{mean}$ .

$\sigma_{cs}$  &  $\sigma_{ck} = 80 \text{ Mpa}$ .

$\tau_s$  &  $\tau_k = 40 \text{ Mpa}$ .

$\tau_{coupling} = 18 \text{ Mpa}$ .

Bearing pressure for rubber bush =  $p_{bc} = 0.8 \text{ Mpa}$ .

(i) Design of flexible coupling:

To find dia of shaft.

$$T = \frac{P \times 60}{2\pi N}$$

$$= \frac{60 \times 30 \times 10^3}{2 \times \pi \times 900}$$

$$T_{mean} = 318.3 \text{ N.m.}$$

$$T_{max} = 366.05 \text{ N.m.}$$

We know,

$$T = \frac{\pi}{16} \times \tau_s \times d^3$$

$$d^3 = \frac{477.46 \times 10^3 \times 16}{40\pi}$$

$$d = \frac{35.98}{39.32} \approx 40 \text{ mm}$$

From PSG D.B 7.10<sup>a</sup>, For 30 - 45 mm diameter (A) specifications are:

- B → OD of flange = 132 mm.
- C → Dia of hub = 55 mm.
- D → pitch circle dia of bolt = 90 mm.
- E → Length of hub = 40 mm.
- F → Diameter of bolt = 12 mm.
- G → Length of bush in flange = 30 mm.
- H → protective layer thickness = 15 mm.
- n → No of bolts = 4.
- $d_b$  → Diameter of bush = 25 mm.
- t → clearance = 4 mm.

i)

Design of key:

For  $\phi$  40mm.  $w = 10\text{mm}$ .

$t = 8\text{mm}$ .

Length of key - Length of Hub =  $\frac{40\text{mm}}{2} = 20\text{mm}$ .

Check for shearing:

$$T = l \times w \times \tau_k \times \frac{d}{2}$$

$$477.46 \times 10^3 = 20 \times 10 \times \tau_k \times \frac{40}{2}$$

$\tau_k = 119.36 \text{ Mpa} > \text{given } 40 \text{ Mpa}$ . So design is not safe.

Let width  $w$  may be increased. So,

$$477.46 \times 10^3 = 20 \times w \times 40 \times 20$$

$w = 29.84 \text{ mm}$  for safe design.

check for crushing:

$$T = l \times \frac{t}{2} \times \sigma_{ck} \times \frac{d}{2}$$

$$477.46 \times 10^3 = 20 \times \frac{8}{2} \times \sigma_{ck} \times \frac{40}{2}$$

$\sigma_{ck} = 298.4 \text{ Mpa} > \text{given } 80 \text{ Mpa}$ ,

So, thickness may be increased.

$$\frac{T \times 2 \times 2}{l \times \sigma_{ck} \times d} = t$$

$$\frac{477.46 \times 10^3 \times 2 \times 2}{20 \times 80 \times 40} = t = 29.84 \text{ mm.} \quad \text{for des}$$

iii) check for bolt:

Bearing load acting on the pin,  $W$ ,

$$T_{\max} = W \times n \times \frac{D}{2} \quad D \rightarrow \text{pitch dia } \phi \text{ of bolt}$$

$$\frac{477.46 \times 10^3}{4 \times \frac{90}{2}} = W$$

$$\therefore \text{Bearing load on pin } W = 2652.55 \text{ N.}$$

To find Max. principal stress:

$$\frac{\sigma_b}{2} + \frac{1}{2} \sqrt{(\sigma_b)^2 + 4\tau^2}$$

Bending Stress;  $\sigma_b = \frac{M}{Z}$   $\rightarrow$  Bending moment  
 $Z \rightarrow$  section mod.

Bending moment  $M = W \times \left[ \frac{G}{2} + t \right]$  (2 bushes)  
 $G \rightarrow$  length of

$$M = 2652.55 \times \left[ \frac{30}{2} + 4 \right]$$

$$M = 50378.45 \text{ N.m}$$

$$Z = \frac{\pi}{32} (r)^3$$

$$Z = \frac{\pi}{32} (12)^3$$

$$Z = 1357.16 \text{ mm}^3$$

$$\text{Bending stress } \sigma_b = \frac{50398 \cdot 45}{1357 \cdot 16}$$

$$\sigma_b = 37.13 \text{ N/mm}^2$$

$$\text{Direct stress: } (\tau) = \frac{W}{A}$$

$$= \frac{2652.55}{\frac{\pi}{4} \times (12)^2} = \frac{2652.55}{\frac{\pi}{4} (12)^2}$$

$$\tau_{\text{direct}} = 23.45 \text{ N/mm}^2$$

$$\therefore \text{Max. Principal Stress} = \frac{\sigma_b}{2} + \frac{1}{2} \sqrt{(\sigma_b)^2 + 4\tau^2}$$

$$= \frac{37.13}{2} + \frac{1}{2} \sqrt{(37.13)^2 + 4(23.45)^2}$$

$$\text{Max principal stress} = 48.47 \text{ N/mm}^2$$

(iv) Design of bush:

a) Length of bush  $L = G + t - \frac{2}{3} \times F$ .

$$L = 30 + 4 - \left(\frac{2}{3} \times 12\right).$$

Length of bush  $L = 26 \text{ mm}$ .

To find check bearing stress of bush;

$$\sigma_{bc} = \frac{W}{d_b \times L}$$

$$\sigma_{bc} = \frac{2652.55}{25 \times 26}$$

$\sigma_{bc} = 4.08 \text{ Mpa} > \text{given } 0.8 \text{ Mpa}$ .

For safe design:

diameter of bush  $d_b$  may be modified

$$0.8 = \frac{2652.55}{d_b \times 26}$$

$d_b = \text{dia of bush} = 127.56 \text{ mm}$  for safe design

Design of Hub:

$$T_{max} = \frac{\pi}{16} \times \tau_c \times \left( \frac{c^4 - A^4}{c} \right)$$

$$\frac{366.05}{477.46} \times 10^3 = \frac{\pi}{16} \times \tau_c \times \left[ \frac{55^4 - 40^4}{55} \right]$$

$$\tau_c = \frac{20.29}{15.5} \text{ Mpa} < \text{given } 18 \text{ Mpa} = \text{design is safe.}$$

Design of Flange:

$$T_{max} = \frac{\pi c^2}{2} \times \tau_{f(c)} \times G$$

$$366.05 \times 10^3 = \frac{\pi \times 55^2}{2} \times \tau_{f(c)} \times 30$$

$$\tau_{f(c)} = 2.56 \text{ Mpa} < \text{given } 18 \text{ Mpa} \text{ Safe.}$$