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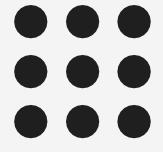
Department of Artificial Intelligence and Data Science

Course Name – 19AD601 – Natural Language Processing

III Year / VI Semester

Unit 4 – SEMANTICS

Topic 3- Semantic Attachment







Extend every grammar rule with 'instructions' on how to map components of rule to a semantic representation, e.g.

- S -> NP VP {VP.sem(NP.sem)}
- We'll accomplish this by attaching semantic formation rules to our syntactic CFG rules
- Abstractly

 $A \to \alpha ... \alpha \quad \{f(\alpha ..sem... \alpha ..sem)\}$





Example:

McDonalds serves burgers

- Associating constants with constituents
- ProperNoun

 McDonalds {McDonalds}
- PluralNoun

 burgers {burgers}
- Defining functions to produce these from input
- NP → ProperNoun {ProperNoun.sem}
- NP → PluralNoun {PluralNoun.sem}
- Assumption: meaning representations of children are passed up to parents when non-branching (e.g. ProperNoun.sem(X) = X)





Language for semantic attachments

Lambda calculus or Lambda Notation

Extends First Order Predicate Calculus (FOPC) with function application.

- A simple addition to FOPC
- Take a FOPC sentence with variables in it that are to be bound.
- Allow those variables to be bound by treating the lambda form as a function with formal arguments
- $\lambda \times P(x)$: $\lambda + \text{variable}(s) + \text{FOPC expression in those variables}$.

 $A \rightarrow \alpha_1...\alpha_n \quad \{f(\alpha_1.sem,...\alpha_n.sem)\}$





Example

Nouns represented by constants

Prop-n -> AyCaramba {AyCaramba}

N -> meat {meat}

- Phrase semantics is function of SA of children
- E.g. NP -> Prop-n {Prop-n.sem}
- $\qquad NP \rightarrow N \qquad \{N.sem\}$
- More complex functions are parameterized
- E.g. Verb -> serves





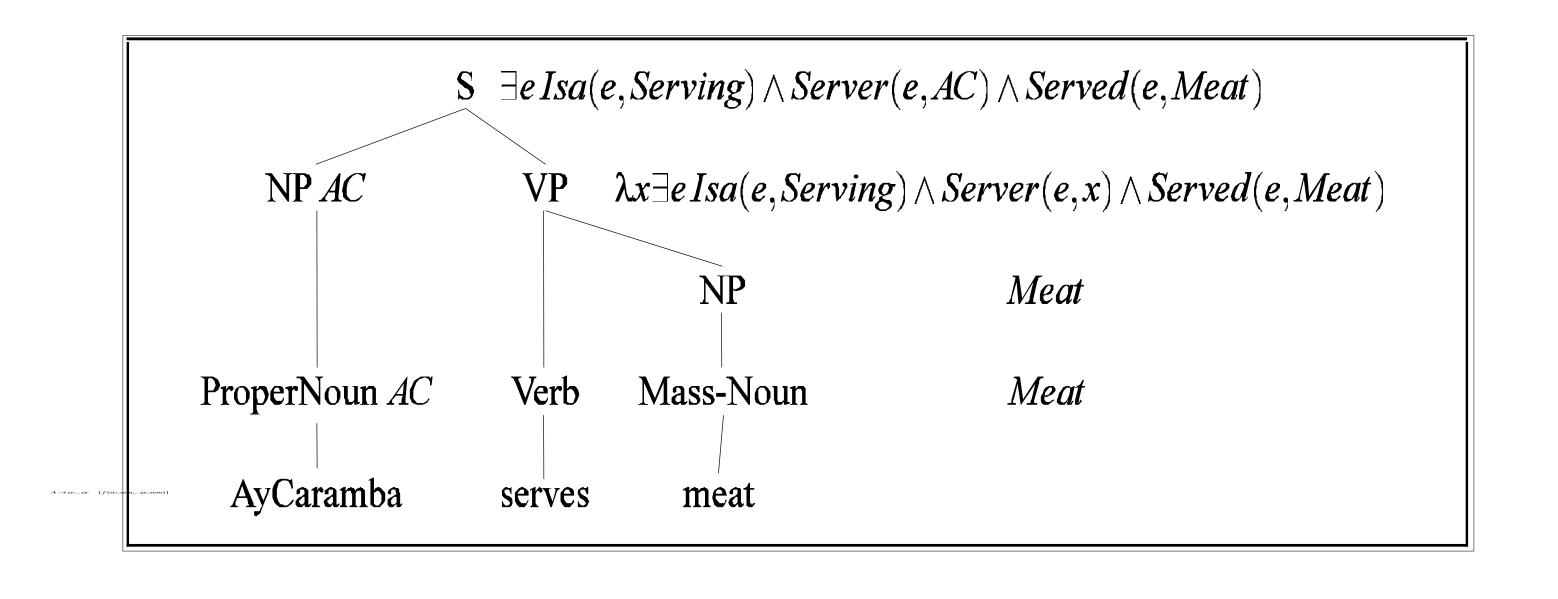
- More complex functions are parameterized
 - E.g. Verb -> serves

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\{\lambda x \lambda y \exists e \, Isa(e, Serving) \land Server(e, y) \land Served(e, x)\}
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- VP -> Verb <u>NP</u> {V.sem(NP.sem)}
 - Application=
 λy∃e Isa(e, Serving) ∧ Server(e, y) ∧ Served(e, Meat)
- S -> NP VP
- Application=
- $\exists e \ Isa(e, Serving) \land Server(e, AyCaramba) \land Served(e, Meat)$











THANK YOU