



# **SNS COLLEGE OF ENGINEERING**



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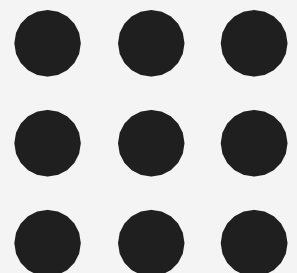
## **Department of Artificial Intelligence and Data Science**

**Course Name – 19AD601 – Natural Language  
Processing**

**III Year / VI Semester**

**Unit 3 – SYNTACTIC ANALYSIS**

**Topic 7- Shallow parsing – Probabilistic CFG**





# Shallow parsing – Probabilistic CFG

- The shallow parser gives the analysis of a sentence in terms of morphological analysis, POS tagging, Chunking, etc. Apart from the final output, intermediate output of individual modules is also available.
- Chunking (aka. Shallow parsing) is to analyzing a sentence to identify the constituents (noun groups, verbs, verb groups, etc.). However, it does not specify their internal structure, nor their role in the main sentence.
- Shallow parsing, also known as light parsing or chunking , is a popular natural language processing technique of analyzing the structure of a sentence to break it down into its smallest constituents (which are tokens such as words) and group them together into higher-level phrases.
- This includes POS tags as well as phrases from a sentence.



# Shallow parsing – Probabilistic CFG

## Probabilistic CFG

- PCFG is a simple extension of a CFG in which every production rule is associated with a probability.
- A PCFG consists of:
  1. A context-free grammar  $G = (N, \Sigma, S, R)$ .
  2. A parameter  $q(\alpha \rightarrow \beta)$
- for each rule  $\alpha \rightarrow \beta \in R$ . The parameter  $q(\alpha \rightarrow \beta)$  can be interpreted as the conditional probability of choosing rule  $\alpha \rightarrow \beta$  in a left-most derivation, given that the non-terminal being expanded is  $\alpha$ . For any  $X \in N$ , we have the constraint.

$$\sum_{\alpha \rightarrow \beta \in R: \alpha = X} q(\alpha \rightarrow \beta) = 1$$

# Shallow parsing – Probabilistic CFG

- Given a parse-tree  $t \in TG$  containing rules  $\alpha_1 \rightarrow \beta_1, \alpha_2 \rightarrow \beta_2, \dots, \alpha_n \rightarrow \beta_n$ , the probability of  $t$  under the PCFG is

$$p(t) = \prod_{i=1}^n q(\alpha_i \rightarrow \beta_i)$$

The only addition to the original context-free grammar is a parameter  $q(\alpha \rightarrow \beta)$  for each rule  $\alpha \rightarrow \beta \in R$ . Each of these parameters is constrained to be non-negative, and in addition we have the constraint that for any non-terminal  $X \in N$ .

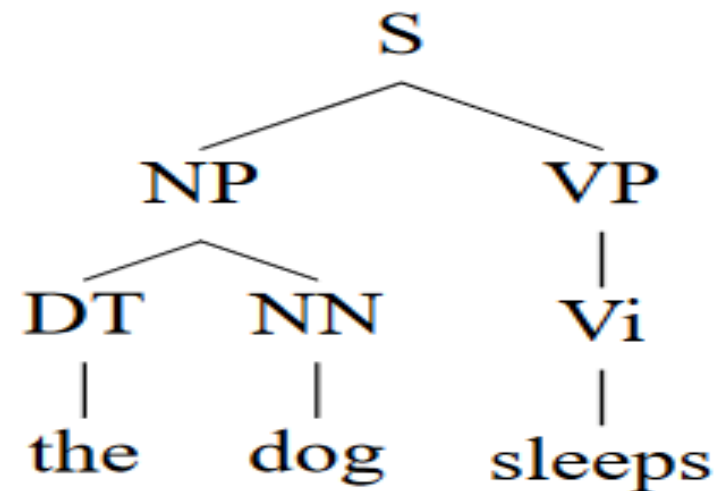
$$\sum_{\alpha \rightarrow \beta \in R: \alpha = X} q(\alpha \rightarrow \beta) = 1$$

# Shallow parsing – Probabilistic CFG

- This simply states that for any non-terminal  $X$ , the parameter values for all rules with that non-terminal on the left-hand-side of the rule must sum to one,

$$\begin{aligned} \sum_{\alpha \rightarrow \beta \in R: \alpha = VP} q(\alpha \rightarrow \beta) &= q(VP \rightarrow Vi) + q(VP \rightarrow Vt \ NP) + q(VP \rightarrow VP \ PP) \\ &= 0.3 + 0.5 + 0.2 \\ &= 1.0 \end{aligned}$$

To calculate the probability of any parse tree  $t$ , we simply multiply together the  $q$  values for the context-free rules that it contains. For example, if our parse tree  $t$  is



# Shallow parsing – Probabilistic CFG

- then we have  $p(t) = q(S \rightarrow NP VP) \times q(NP \rightarrow DT NN) \times q(DT \rightarrow the) \times q(NN \rightarrow dog) \times q(VP \rightarrow Vi) \times q(Vi \rightarrow sleeps)$
- Intuitively, PCFGs make the assumption that parse trees are generated stochastically, according to the following process:9

$$N = \{S, NP, VP, PP, DT, Vi, Vt, NN, IN\}$$

$$S = S$$

$$\Sigma = \{sleeps, saw, man, woman, dog, telescope, the, with, in\}$$

$$R, q =$$

S	→	NP	VP	1.0
VP	→	Vi		0.3
VP	→	Vt	NP	0.5
VP	→	VP	PP	0.2
NP	→	DT	NN	0.8
NP	→	NP	PP	0.2
PP	→	IN	NP	1.0

Vi	→	sleeps	1.0
Vt	→	saw	1.0
NN	→	man	0.1
NN	→	woman	0.1
NN	→	telescope	0.3
NN	→	dog	0.5
DT	→	the	1.0
IN	→	with	0.6
IN	→	in	0.4

# Shallow parsing – Probabilistic CFG

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S	→	NP	VP	1.0
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**THANK YOU**